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### ▶ To cite this version:

Nicolas Coeurdacier, Hélène Rey, Pablo Winant. Financial Integration and Growth in a Risky World. Journal of Monetary Economics, 2020, 112 (.), pp.1-21. 10.1016/j.jmoneco.2019.01.022. hal-03799686

# HAL Id: hal-03799686 https://sciencespo.hal.science/hal-03799686

Submitted on 6 Oct 2022

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# Financial Integration and Growth in a Risky World

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October 30, 2018\*

#### Abstract

We revisit the debate on the benefits of financial integration in a two-country neoclassical growth model with aggregate uncertainty. We account simultaneously for gains from a more efficient capital allocation and gains from risk sharing—together with their interaction. Using global numerical methods allows us to do meaningful welfare comparisons along the transition paths. We find small gains from integration, even for riskier and capital scarce emerging economies. These countries import capital for efficiency reasons before exporting it for self-insurance, leading to capital flows and growth reversals along the transition. This opens the door to a richer set of empirical implications than previously considered in the literature.

#### JEL Classification: F36, F41, F43, F65.

Key Words: Financial integration, Capital flows, Risky steady-state, Global Solutions.

<sup>\*</sup>We thank Pierre-Olivier Gourinchas, Jonathan Heathcote, Hande Kucuk-Tuger, Anna Pavlova, Fabrizio Perri, Robert Zymek, seminar participants at the LBS Macro-Finance Workshop, Princeton, Harvard, HEI, LSE, Columbia, Yale, Chicago, the Jerusalem Macroeconomics conference, Gerzensee Asset Pricing Summer Symposium, Barcelona GSE Summer Workshop, Bank of Chile, Capri/CSEF, SciencesPo Macro-Finance Workshop, Mannheim and Minnesota for very helpful comments. Taha Choukhmane provided excellent research assistance. Nicolas Coeurdacier thanks the Agence Nationale pour la Recherche (Project INTPORT), the European Research Council (Starting Grant 336748) and the SciencesPo-Banque de France partnership for financial support. Hélène Rey thanks the European Research Council (Grant 210584) for financial support. Contact details: nicolas.coeurdacier@sciencespo.fr, hrey@london.edu, pablo.winant@gmail.com.

## 1 **Introduction**

<sup>2</sup> What are the welfare effects of financial integration? This is one of the perennial questions in <sup>3</sup> international macroeconomics and finance. The usual answer, given by academics and taken <sup>4</sup> up by policy makers, is that financial integration allows for a more efficient allocation of capital <sup>5</sup> and improves risk sharing across countries. To the extent that the policy making world has <sup>6</sup> been actively promoting financial integration, implicit in this answer is that these gains are <sup>7</sup> large enough *quantitatively* to offset any costs associated with integration. So how large are <sup>8</sup> actually the efficiency and risk sharing gains of financial integration? As the literature stands, <sup>9</sup> we cannot answer this question in one go.

In the context of neoclassical growth models, capital flows from capital-abundant to 10 capital-scarce countries, raising welfare as the marginal product of capital is higher in the 11 latter than in the former. However, as the calibrations of Gourinchas and Jeanne (2006) show 12 in a deterministic model, the welfare gains brought by financial integration remain elusive. 13 Even when a country starts off with a low level of capital, speeding up its transition towards 14 its steady-state by opening the financial account brings small gains. The reason is that the 15 distortion induced by a lack of capital mobility is transitory: the country would have reached 16 its steady-state level of capital regardless of financial openness, albeit at a slower speed. 17

In the context of the international risk-sharing literature, which usually does not feature 18 endogenous production, openness to financial flows allows country specific shocks to be diversi-19 fied away. The debate still rages regarding the magnitude of the gains from risk-sharing (Cole 20 and Obstfeld (1991), van Wincoop (1994, 1999), Tesar (1995), Lewis (1999, 2000)). In most 21 studies, gains are of second order as financial integration allows a reduction of consumption 22 volatility but does not affect output.<sup>1</sup> Welfare gains are potentially large if the market price 23 of risk is high—when asset price data are to be trusted, but remarkably small if computed 24 from consumption data with a reasonable risk aversion parameter (Lucas (1987)).<sup>2</sup> Recent 25

<sup>&</sup>lt;sup>1</sup>A theoretical literature studies the effect of asset trade on efficient specialization and risk taking (Obstfeld (1994), Acemoglu, and Zilibotti (1997), Martin and Rey (2006). We abstract from this channel.

<sup>&</sup>lt;sup>2</sup>Large welfare gains driven by realistic asset prices are also hard to reconcile with the observed degree of portfolio home-bias (see Lewis (1999) and Coeurdacier and Rey (2013) for a recent survey).

work aims at reconciling the two by relying either on long-run consumption risks (Colacito and Croce (2010), Lewis and Liu (2015)) or rare disasters risks (Martin (2010)). In these contexts, financial integration may bring sizable gains but their magnitude is sensitive to the cross-country correlation of long-run (or disaster) risks. In any case, the framework used is the one of endowment economies, shutting down efficiency gains from capital reallocation.

Assessing efficiency and risk sharing gains separately, using two different types of models, prevents reaching a solid conclusion. Are those two gains substitute or complement? They are surely intertwined as, through precautionary savings, the steady state level of the capital stock depends on the level of risk agents seek to insure (see Aiyagari (1994)). Thus, when capital is allowed to flow across borders, risk-sharing modifies the steady-state level of capital stock and impacts the process of capital reallocation across countries. Financial integration can therefore have a permanent effect on output in a stochastic environment.

In this paper, we study how financial integration affects the growth and welfare of countries 38 in a standard two country version of the stochastic neoclassical growth model. As a well 39 established benchmark in the psyche of economists, it underpins implicitly the widely heard 40 qualitative claims that financial integration improves capital allocation efficiency and enables 41 risk-sharing across countries. Ironically may be, since they have been very influential in the 42 policy world, those claims have not so far been evaluated in a quantitative version of the 43 model due to the technical difficulties of modelling aggregate uncertainty and production 44 in open economy settings. In our baseline model, the world is made of two heterogeneous 45 countries which are allowed to trade a risk-free bond internationally (incomplete financial 46 markets version of Backus et al. (1992) as in Baxter in Crucini (1995)). Countries produce 47 a single tradable good using capital and labor and face stochastic transitory productivity 48 shocks. Countries are allowed to be asymmetric in three dimensions: the amount of aggregate 49 risk they are facing, their level of capital at time of integration and their size. This allows us 50 to characterize, in a richer way than the previous literature, which countries, if any, reap large 51 gains from integration.<sup>3</sup> Our framework is particularly well suited to study the integration of a 52

<sup>&</sup>lt;sup>3</sup>Fogli and Perri (2014) present a two-country RBC model with aggregate risk but focus on the business cycle implications of (asymmetric) changes in aggregate risk. They provide empirical evidence that differences

set of emerging markets that face larger aggregate risk and tend to be on average capital scarce. Importantly, it allows for general equilibrium effects, which can be large since historically liberalization episodes occcured by waves—a set of countries integrating simultaneously.<sup>4</sup> Our main experiment thus mimics the integration of risky and capital scarce emerging markets to (safer) developed countries.

Our main findings are that financial integration has very heterogeneous effects depending 58 on the stochastic structure of shocks, the size of countries and their initial degree of capital 59 scarcity. Interestingly, financial integration can generate output growth and capital flows 60 reversals along the transition, with capital flowing downstream initially and upstream later 61 on. Regarding welfare, financial integration does not bring sizable benefits to any plausibly 62 parameterized country, even for the typical emerging country—at most a permanent increase 63 in consumption of 0.5% in our calibration with a moderate risk aversion. The intuition for 64 these results can be summarized as follows. Relatively safe (developed) countries have small 65 gains from reducing consumption volatility (Lucas (1987)). They also have small gains due to 66 a more efficient world allocation of capital after integration (Gourinchas and Jeanne (2006)).<sup>5</sup> 67 Emerging countries face higher levels of uncertainty <sup>6</sup> and could have potentially larger gains 68 when they share risk. However, financial integration, by affecting the distribution of risk 69 across countries, also leads to a change in the value of the steady state capital stocks. Unless 70 riskier countries are also capital scarce, they will see capital flowing out and output falling as 71 their precautionary savings are reallocated towards safer (developed) countries. When riskier 72 countries are also significantly capital scarce (as emerging countries in the data), the standard 73

<sup>74</sup> efficiency gains driven by faster convergence are strongly dampened by the reallocation of

in aggregate risk are a source of capital flows—as in our framework. Kent (2013) provides a two-country growth model with aggregate risk. The model is solved using perturbation methods so that welfare implications and transition across steady-states are not studied. Angeletos and Panousi (2011) and Corneli (2010) investigate how financial integration can affect the steady-state as well as the transition dynamics in a model with uninsurable idiosyncratic entrepreneurial risk. See also Mendoza et al. (2008), Benhima (2013) and Carroll and Jeanne (2015). In the absence of aggregate risk, they cannot explore the gains from consumption smoothing through international risk sharing. Bai and Zhang (2010) also explores the size of capital flows in a model with idiosyncratic risk and incomplete markets in the form of imperfect spanning and limited commitment.

<sup>&</sup>lt;sup>4</sup>Most emerging markets opened up to financial markets in the late eighties-early nineties. See Appendix B for liberalization dates of emerging countries.

<sup>&</sup>lt;sup>5</sup>Hoxha et al. (2013) find higher welfare gains in a model where capital goods are not perfect substitutes. <sup>6</sup>See Pallage and Robe (2003) and Aguiar and Gopinath (2007).

precautionary savings. Our findings thus qualify in an important way the conventional wisdom 75 that emerging countries should face larger gains from financial integration since they face 76 more volatile business cycles. They significantly differ from the risk-sharing literature, which 77 would, in the context of endowment economies, typically predict much higher gains for riskier 78 countries. Our baseline calibration relies on parameter values for risk aversion and levels of 79 risk in line with the business cycles literature but at the expense of counterfactually low risk 80 premia. In an alternative calibration, we show that increasing the market price of risk using 81 non-expected recursive utility (increasing risk aversion as in Tallarini (2000)) generates higher 82 welfare gains from integration. But the same logic applies: gains for volatile emerging countries 83 are dampened by an even stronger capital reallocation towards safer countries. Gains for riskier 84 (emerging) countries are below 0.5% of permanent consumption. Safer countries actually 85 benefit the most from integration as their permanent increase in consumption approaches 1%. 86 They sell insurance at higher price and benefit from a larger fall in the world interest rate upon 87 integration. Following the long-run risks literature (Bansal and Yaron (2004), Lewis and Liu 88 (2015), Nakamura et al. (2014) among others), an extension of our model considers persistent 89 shocks to world productivity growth—allowing us to generate meaningful risk premia without 90 relying on extreme degrees of risk aversion. Our findings are robust to this extension and, 91 if, anything welfare gains are smaller—countries are reluctant to built leveraged positions to 92 limit their exposure to the world long-run risk, which reduces their ability to smooth country 93 specific transitory shocks. 94

From a methodological point of view, the paper provides an accurate welfare assessment 95 using a 'global solution' for the model along the transition path and around the steady-states. 96 Standard approximation methods based on perturbation or log-linearization around deter-97 ministic steady-states (see Judd (1998)) are not well suited. As the steady-state depends on 98 the risk sharing opportunities of agents, we should focus on risky steady-states and not deter-99 ministic ones (Coeurdacier, Rey and Winant (2011)). Because financial integration modifies 100 the ability to smooth shocks, it has a first order effect on the steady-state. Moreover, global 101 solutions allow for an accurate treatment of non-linearities, when countries are far away from 102

their steady-states (as it is typically the case with incomplete markets), or when the utility function has extreme curvature. We build on Kubler and Schmedders (2003) to develop 'global methods' necessary for the welfare evaluation of financial integration in a two-country stochastic model with incomplete markets.<sup>7</sup> Contrary to standard perturbation methods, we believe the method captures well non-linearities over the state space, and can deal with high risk premia and/or large persistent shocks.

From an empirical perspective, no clear evidence emerges from the literature regarding 109 the effect of financial integration on growth and risk sharing. Henry (2007), Kose et al. 110 (2009) provide excellent surveys of the hundreds of papers analyzing the effect of financial 111 integration on growth. Overall, the evidence is mixed, ranging from no effect on growth 112 to moderate effects of at most 1% per year following the liberalization of financial flows. 113 Similarly, empirical results on the impact of financial integration on risk-sharing are very 114 mixed (Kose et al. (2007)). Our results show that the effect of financial integration on growth 115 and welfare is very heterogeneous (across countries and over time) depending in particular 116 on risk characteristics and a number of other conditioning variables. Such heterogeneity can 117 explain the difficulties of the empirical literature which, by focusing on the *average* effect of 118 financial integration, could not reach a conclusive answer.<sup>8</sup> 119

The paper is organized as follows: Section 2 develops our baseline model of financial integration and describes briefly our solution method. Section 3 presents our main findings regarding the growth impact of financial integration, the dynamics of consumption and net foreign assets in our stochastic environment. Section 4 evaluates quantitatively the welfare benefits of financial integration. Section 5 provides robustness checks and extensions of our findings, performing sensitivity analysis with respect to the specification of shocks—including a long-run risk component, asset market structures and market sizes. Section 6 concludes.

<sup>&</sup>lt;sup>7</sup>See also Judd, Kubler and Schmedders (2002). The algorithm is based on iteration on the policy function, where the policy function is approximated by products of polynomials over a grid of current state variables.

<sup>&</sup>lt;sup>8</sup>The literature on the positive effects of FDI on growth has reached more consensus but does not fit well our context as we abstract from direct effects (or positive externalities) of integration on TFP. See Alfaro et al. (2009), Section 2, for references and recent evidence in Fons-Rosen et al. (2013).

## <sup>127</sup> 2 A baseline model of financial integration

We consider a two-country neoclassical growth model with aggregate uncertainty. Countries can be asymmetric in three dimensions: the aggregate risk they face, their initial level of capital and their size. This allows us to analyze the benefits of financial integration in terms of gains from capital accumulation due to capital scarcity together with gains from risk sharing, and study how these gains are distributed across heterogeneous countries.

In our baseline model, we consider an incomplete market set-up where countries are al-133 lowed to trade in a riskless bond only. This regime of financial integration is compared to 134 a benchmark model where countries stay under financial autarky. We believe this incom-135 plete markets environment is more realistic since we focus our attention on the liberalization 136 episodes of emerging markets. At the time of their financial integration in late eighties-early 137 nineties, capital flows were mostly driven by intertemporal borrowing and lending (Kraay et 138 al. (2005)).<sup>9</sup> In robustness checks (Section 5), we consider the alternative case of complete 139 markets to provide some upper-bounds of the benefits of integration. 140

### 141 2.1 Set-up

The world is made of two countries  $i = \{D, E\}$ . *D* stands for Developed country and *E* for Emerging. There is one good (numeraire) used for investment and consumption. Each country starts with an initial capital stock  $k_{i,0}$ .

Technologies and capital accumulation. Production in country *i* uses capital and labor
with a Cobb-Douglas production function:

$$y_{i,t} = A_{i,t} \left( k_{i,t} \right)^{\theta} (l_{i,t})^{1-\theta}$$
(1)

where  $A_{i,t}$  is a stochastic level of total factor productivity;  $\log(A_{i,t})$  follows an AR(1) process such that  $\log(A_{i,t}) = (1-\rho)\log(A_{i,0}) + \rho\log(A_{i,t-1}) + \epsilon_{i,t}$  with  $\epsilon_t = \begin{pmatrix} \epsilon_{D,t} \\ \epsilon_{E,t} \end{pmatrix}$  an i.i.d process

<sup>&</sup>lt;sup>9</sup>Portfolio equity home bias is also very extreme for emerging markets, even nowadays, as pointed out in Coeurdacier and Rey (2013).

<sup>149</sup> normally distributed with variance-covariance matrix  $\Sigma = \begin{pmatrix} \sigma_D^2 & \zeta \sigma_D \sigma_E \\ \zeta \sigma_D \sigma_E & \sigma_E^2 \end{pmatrix}$ .  $A_{i,0}$  is the

initial level of productivity country i which proxies in our simulations for country size.<sup>10</sup>

<sup>151</sup> The law of motion of the capital stock in each country is:

$$k_{i,t+1} = (1-\delta)k_{i,t} + k_{i,t}\phi\left(\frac{i_{i,t}}{k_{i,t}}\right)$$

$$\tag{2}$$

where  $0 < \delta < 1$  is the depreciation rate of capital and  $i_{i,t}$  is gross investment in country i at date t.  $\phi(x)$  is an adjustment cost function:

$$\phi\left(x\right) = a_1 + a_2\left(\frac{x^{1-\xi}}{1-\xi}\right)$$

with  $\xi$  measuring the degree of adjustment costs,  $a_1$  and  $a_2$  chosen such that  $\phi(\delta) = \delta$  and  $\phi'(\delta) = 1.^{11}$ 

Factor payments. Labour and capital markets are perfectly competitive and inputs are paid their marginal productivity. If  $w_{i,t}$  denotes the wage rate in country *i* and  $r_{i,t}$  the rental rate of capital, we have:

$$w_{i,t}l_{i,t} = (1 - \theta) y_{i,t}$$
;  $r_{i,t}k_{i,t} = \theta y_{i,t}$  (3)

For simplicity, we normalize population to unity in each country:  $l_{i,t} = 1$ . Country size is then parametrized by productivity levels in our set-up (and not population).<sup>12</sup> We also implicitly assume an inelastic labor supply. If anything, this tends to increase the gains from international risk sharing by suppressing a margin of adjustment of households following shocks.

<sup>162</sup> **Preferences**. Country i is inhabited by a representative household with Epstein-Zin prefer-

<sup>&</sup>lt;sup>10</sup>Note that increasing the variance of the shocks also imply multiplying the productivity level by a (very) small constant number in our parametrization. This is equivalent to a minor change in country size which does not affect the findings.

<sup>&</sup>lt;sup>11</sup>The definition of  $\phi(x)$  ensures that in the neighborhood of  $i = \delta k$  (replacement of capital), adjustment costs are zero to a first-order. Note also that, for  $\xi = 0$  (no adjustment costs),  $\phi(x) = x$ —implying a standard law of accumulation, while for  $\xi \to \infty$ ,  $k_{i,t+1} = k_{i,t}$ —corresponding to fixed capital (endowment economy).

<sup>&</sup>lt;sup>12</sup>This is irrelevant for the model dynamics as long as one focuses on capital per efficiency units.

<sup>163</sup> ences (Epstein and Zin (1989), Weil (1990)) defined recursively as follows:

$$U_{i,t} = \left[ (1-\beta)c_{i,t}^{1-\psi} + \beta \left( E_t U_{i,t+1}^{1-\gamma} \right)^{\frac{1-\psi}{1-\gamma}} \right]^{\frac{1}{1-\psi}}.$$
 (4)

where  $1/\psi$  is the elasticity of intertemporal substitution (EIS) and  $\gamma$  the relative risk aversion. This specification nests the CRRA case when  $\psi = \gamma$ . This is the case we will first consider. Then, we consider alternative cases where agents are more risk averse than our CRRA baseline, keeping the EIS  $1/\psi$  constant:  $\gamma \geq \psi$ , with  $\gamma$  up to 40.

Budget constraints, household decisions and market clearing conditions. Budget constraints depend on the assets available for savings decisions which is a function of the degree of financial integration. We consider the two following cases in our baseline: (i) financial autarky, (ii) financial integration with a non state-contingent bond only.

<sup>172</sup> The stochastic discount factor in country i is defined as:

$$\mathcal{M}_{i,t+1} = \beta \left(\frac{c_{i,t+1}}{c_{i,t}}\right)^{-\psi} \left(\frac{U_{i,t+1}^{\psi-\gamma}}{\left[E_t\left(U_{i,t+1}^{1-\gamma}\right)\right]^{\frac{\psi-\gamma}{1-\gamma}}}\right).$$
(5)

(i) Financial autarky. Under financial autarky, the only vehicle for savings is domestic capital.A household can therefore either consume or invest in domestic capital the revenues from labour and capital. This gives the following household budget constraint:

$$c_{i,t} + i_{i,t} = w_{i,t} + r_{i,t}k_{i,t}.$$

173 Investment decisions in country i satisfies the following Euler equation:

$$E_t \left[ \mathcal{M}_{i,t+1} \left( r_{i,t+1} \phi'_{i,t} + \frac{\phi'_{i,t}}{\phi'_{i,t+1}} \left( (1-\delta) + \phi_{i,t+1} - \frac{i_{i,t+1}}{k_{i,t+1}} \phi'_{i,t+1} \right) \right) \right] = 1$$
(6)

where  $\phi_{i,t} = \phi\left(\frac{i_{i,t}}{k_{i,t}}\right)$  and  $\phi'_{i,t}$  denotes the first derivative of  $\phi(x)$  at  $x = \left(\frac{i_{i,t}}{k_{i,t}}\right)$ . Abstracting from capital adjustment costs  $(\phi(x) = x)$ , we get the usual Euler cou

Abstracting from capital adjustment costs ( $\phi(x) = x$ ), we get the usual Euler equation:

$$E_t \left[ \mathcal{M}_{i,t+1} \left( 1 + r_{i,t+1} - \delta \right) \right] = 1$$

where  $r_{i,t}$  denotes the marginal productivity of capital defined in Eq. (3).

The associated goods market clearing condition in country i is:

$$c_{i,t} + i_{i,t} = y_{i,t}.$$
 (7)

(ii) Financial integration: bond-only economy. We introduce a riskless international bond whose price at date t is  $p_t$  and which delivers one unit of good in the next period. Bonds are in zero net supply. The instantaneous budget constraint at date t in country i becomes:

$$c_{i,t} + i_{i,t} = w_{i,t} + r_{i,t}k_{i,t} + b_{i,t-1} - b_{i,t}p_t$$

where  $b_{i,t}$  denotes bond purchases at date t by country i. For computational reasons, one needs to bound the state space for bond holdings. We do so by assuming that agents in country i face the following borrowing constraint under financial integration,

$$b_{i,t} \ge \underline{b_i}.\tag{8}$$

The debt limit  $\underline{b}_i < 0$  is chosen small enough in our simulations such that the constraint barely affects the path of  $b_{i,t}$ .<sup>13</sup> The Euler equation for bond holdings in country  $i = \{D, E\}$  is:

$$p_t = E_t \left[ \mathcal{M}_{i,t+1} \right] + \mu_{i,t} \tag{9}$$

where  $\mu_{i,t} \ge 0$  is the Lagrange multiplier associated to the borrowing constraint (Eq. (8)).

Household investment decisions satisfies the same Euler equation as before (Eq. (6)).

<sup>183</sup> We close the model with goods and bonds market clearing conditions:

$$b_{D,t} + b_{E,t} = 0 (10)$$

$$c_{D,t} + i_{D,t} + c_{E,t} + i_{E,t} = y_{D,t} + y_{E,t}$$
(11)

**Definition of equilibrium**. Under autarky, an equilibrium in a country *i* is a sequence of consumption and capital stocks  $(c_{i,t}; k_{i,t+1})$  such that individual Euler equations for investment decisions are verified (Equation (6)) and goods market clears at all dates (Equation (7)).

<sup>&</sup>lt;sup>13</sup>The numerical applications take full account of occasionally binding constraints. In our simulations, they are seldom binding and have almost no effect on the dynamics (see discussion in Appendix C).

<sup>187</sup> Under financial integration, an equilibrium is a sequence of consumption, capital stocks and <sup>188</sup> bond holdings in both countries  $(c_{i,t}; k_{i,t+1}; b_{i,t})_{i=\{D,E\}}$  and a sequence of bond prices  $p_t$  such <sup>189</sup> that Euler equations for investment decisions are verified in both countries (Equation (6)), <sup>190</sup> Euler equations for bonds together with borrowing constraints are verified in both countries <sup>191</sup> (Equations (8) and (9)), bonds and goods markets clear at all dates (Equations (10) and (11)).

### <sup>192</sup> 2.2 Solution method

Motivation for a global solution. From a methodological point of view, the paper pro-193 vides a 'global solution' for the model accurate around the steady-states as well as along the 194 transition path. Standard approximation methods based on perturbation or log-linearization 195 around a deterministic steady-state are not well suited for welfare evaluations. First, with 196 incomplete markets, net foreign assets are extremely persistent (Schmitt-Grohe and Uribe 197 (2003)) and the dynamics of the model can drift away from the point of approximation— 198 casting doubt on the accuracy of the approximation along the transition dynamics. Second, 199 the steady state depends on the risk sharing opportunities of agents due to the presence of 200 precautionary savings so that we should focus on a *risky* steady-state and not a deterministic 201 one as in standard perturbation methods. The risky steady-state is the point where state 202 and choice variables remain unchanged if agents expect future risk but shocks innovations 203 turn out to be zero (Coeurdacier, Rey and Winant (2011), Juillard (2012)). In general, it 204 differs from the deterministic one where agents do not expect any risk in the future.<sup>14</sup> Third, 205 standard perturbation methods are found to be less appropriate, when non-linearities are im-206 portant (e.g. when countries are far away from their steady-state) and/or when countries are 207 asymmetric as in our baseline simulations (Rabitsch, Stepanchuk and Tsyrennikov (2015)). 208

Time-iteration algorithm. We solve the model using the time-iteration algorithm (Coleman (1991) and Judd, Kubler and Schmedders (2002)). This algorithm is theoretically appealing since it illustrates computationally a contraction mapping property of rational expectations behaviour. In single agents models its convergence has been proven to be equivalent to value

 $<sup>^{14}</sup>$ It also differs from the stochastic steady-state, which is the state of the economy averaged over an asymptotically stable distribution (Clarida (1987)).

function iteration (Rendahl (2015)). To our knowledge, there is no such proof of convergence in generic two-agent models, with incomplete markets, even as simple as ours. For this reason the time-iteration algorithm can be seen as a substitute to missing theoretical tools in order to investigate the convergence properties of our model.

Model reformulation. Using the net-zero supply condition for bonds (Eq. (10)), we choose to track only bond holdings of the Developed country by setting  $b_t = b_{D,t}$  with the constraint  $\underline{b}_D = \underline{b} \leq b_t \leq \overline{b} = -\underline{b}_E$ . In order to separate conceptually the states from the endogenous controls, we set

$$d_t = b_{t-1},\tag{12}$$

and define  $\mathbf{s_t} = (k_{D,t}, k_{E,t}, d_t)$  the vector of endogenous states.

Our solution approach makes use of first order conditions (Equations (6) and (9)) to solve for unknown policy rules for investment  $i_{i,t}$ , bond holdings  $b_t$  and the bond price  $p_t$ . Because of Epstein-Zin preferences, these conditions depend on the utility values  $U_{i,t}$ . We thus append their definition to our equilibrium conditions, introducing  $U_{i,t}^{\star}$  as follows:

$$U_{i,t}^{\star 1-\gamma} = E_t \left[ U_{i,t+1}^{1-\gamma} \right]$$
(13)

$$U_{i,t} = \left[ (1-\beta)c_{i,t}^{1-\psi} + \beta \left( U_{i,t}^{\star} \right)^{1-\psi} \right]^{\frac{1}{1-\psi}}$$
(14)

<sup>226</sup> We rewrite Equation (9) into a single pricing equation,

$$p_t = E_t \left[ \lambda_t \mathcal{M}_{D,t+1} + (1 - \lambda_t) \mathcal{M}_{E,t+1} \right], \tag{15}$$

with  $\lambda_t = \left(\frac{b_t - b}{b - b}\right)$  such that  $\lambda_t = 0$  (resp.  $\lambda_t = 1$ ) when country D (resp. E) is constrained. With this formulation, the bond price is always set by a non-constrained country. Lastly, using complementarity notations,<sup>15</sup> one can get rid of the Lagrange multipliers  $\mu_{i,t}$  and rewrite Equation (15) together with Equation (8) as follows:

$$E_t \left[ \mathcal{M}_{E,t+1} \right] - E_t \left[ \mathcal{M}_{D,t+1} \right] \perp \underline{b} \le b_t \le \overline{b}$$
(16)

<sup>&</sup>lt;sup>15</sup>For any scalars x, y, a, b, the complementarity condition  $y \perp a \leq x \leq b$  is equivalent to say that one of the three following conditions must be met: either y = 0, or y > 0 and x = a, or y < 0 and x = b. For vectors  $\mathbf{x}, \mathbf{y}, \mathbf{a}, \mathbf{b}$ , the complementarity condition  $(\mathbf{y} \perp \mathbf{a} \leq \mathbf{x} \leq \mathbf{b})$  must hold coordinate by coordinate, i.e.  $\mathbf{y}_n \perp \mathbf{a}_n \leq \mathbf{x}_n \leq \mathbf{b}_n$ .

We denote by  $\mathbf{m_t} = (A_{D,t}, A_{E,t})$  the vector of exogenous productivity processes driving our economy and by  $\mathbf{x_t} = (U_{D,t}, U_{E,t}, U_{D,t}^{\star}, U_{E,t}^{\star}, i_{D,t}, i_{E,t}, p_t, b_t)$  the full set of controls. Introducing two smooth functions f (for Equations (6), (13), (14), (15) and (16)) and g (for Equations (2) and (12)), our model is reformulated as follows:

$$E_t \left[ f(\mathbf{m}_t, \mathbf{s}_t, \mathbf{x}_t, \mathbf{m}_{t+1}, \mathbf{s}_{t+1}, \mathbf{x}_{t+1}) \right] \perp \underline{\mathbf{x}} \le \mathbf{x}_t \le \overline{\mathbf{x}},$$
(17)

$$\mathbf{s}_{t+1} = g(\mathbf{m}_t, \mathbf{s}_t, \mathbf{x}_t, \mathbf{m}_{t+1})$$
(18)

with boundaries on  $\mathbf{x}_t$ :  $\underline{\mathbf{x}} = (-\infty, -\infty, -\infty, -\infty, -\infty, -\infty, \underline{b})$  and  $\overline{\mathbf{x}} = (\infty, \infty, \infty, \infty, \infty, \infty, \overline{b})$ . 235 Numerical implementation. We discretize the bivariate exogenous process of productivity 236  $\mathbf{m}_{t}$  as a discrete Markov chain with  $3 \times 3$  states, and choose a compact domain for endogenous 237 states  $\mathcal{D} = (k_{D,t} \in [1, 10]) \times (k_{E,t} \in [1, 10]) \times (d_t \in [-5, 5])$ , which we discretize using  $30 \times 30 \times 30$ 238 points. For each discrete combination  $(\mathbf{m}_t, \mathbf{s}_t)$ , the numerical solution of Eq. (17) and Eq. (18) 239 yields corresponding values for the controls  $\mathbf{x}_t$ . We use natural cubic splines to interpolate 240 between the grid points. The solution of our problem is a decision rule  $\mathbf{x}_t = \varphi(\mathbf{m}_t, \mathbf{s}_t)$ , 241 continuous with respect to  $s_t$ . The relatively high number of grid points (243000) is needed 242 to produce accurate welfare estimates.<sup>16</sup> The implementation of the time-iteration algorithm 243 is further detailed in Appendix C. 244

### 245 2.3 Calibration

<sup>246</sup> Our structural parameters, set on a yearly basis, are summarized in Table 1.

<sup>247</sup> **Preferences**. We use a standard value for the discount rate  $\beta$  of 0.96. We first consider the <sup>248</sup> CRRA case and set the coefficient of risk aversion  $\gamma$  to 4 (Baseline Low Risk Aversion).<sup>17</sup> <sup>249</sup> This pins down the elasticity of intertemporal substitution (EIS)  $1/\psi$  to 1/4, which is in the <sup>250</sup> range of estimates in the literature, towards the lower end of the distribution though.<sup>18</sup> We

<sup>&</sup>lt;sup>16</sup>The solution runs in approximately 7 hours 40 for the baseline calibration on a 16 core Intel Xeon X5570. This can be reduced to 25 minutes when using the improvement method from Winant (2017).

<sup>&</sup>lt;sup>17</sup>Macro models typically use a lower value of 2 while the finance literature uses higher values such as 30 or above to generate meaningful risk premia.

<sup>&</sup>lt;sup>18</sup>Most of the empirical literature finds estimates of the EIS between 0.1 and 0.5 (Hall (1988), Vissing-Jorgensen (2002), Yogo (2004), Best et al. (2017) among others). The macro asset pricing literature discussed in Guvenen (2006) assumes higher values between 0.5 and 1, even though the long-run risk literature focuses on values above unity (Bansal and Yaron (2004)). We investigate those cases in Section 5.2.

provide results with a higher EIS in Section 5 but note that a low EIS implies larger benefits from integration, giving the best chances to our calibration to generate large gains. Since the risk aversion coefficient is a crucial parameter for the quantitative properties of the model, we also consider higher levels of risk aversion — keeping the EIS constant to its baseline value of 1/4. We set  $\gamma$  up to 40 in our alternative calibration (Baseline High Risk Aversion).

| Preference and Technology                               |                      |  |  |
|---|----------------------|--|--|
| Discount rate $\beta$                                   | 0.96                 |  |  |
| Elasticity of intertemporal substitution (EIS) $1/\psi$ | 1/4                  |  |  |
| Relative risk a<br>version $\gamma$                     | Low = 4; High = $40$ |  |  |
| Capital share $\theta$                                  | 30%                  |  |  |
| Depreciation rate $\delta$                              | 8%                   |  |  |
| Capital adjustment costs $\xi$                          | 0.2                  |  |  |
| Relative initial productivity $A_{E,0}/A_{D,0}$         | 1                    |  |  |
| Relative initial capital scarcity $k_{E,0}/k_{D,0}$     | 50%                  |  |  |
| Stochastic Structure                                    |                      |  |  |
| Persistence parameter $\rho$                            | 0.9                  |  |  |
| Volatility $\sigma_D$ of shocks in country $D$          | 2.5%                 |  |  |
| Volatility $\sigma_E$ of shocks in country $E$          | 5%                   |  |  |
| Cross-country correlation of shocks $\zeta$             | 0                    |  |  |

#### Table 1: Parameter values

**Technology**. The depreciation rate  $\delta$  and the capital share  $\theta$  are set to standard values, respectively 8% and 30%. The capital adjustment costs parameter  $\xi$  is set to 0.2. In line with the data, this generates a volatility for the rate of investment about 2.5 times higher than the volatility of output.<sup>19</sup>

Countries size and capital scarcity. In our baseline calibrations, we consider countries of equal size—equalizing the initial level of productivity across countries:  $A_{D,0} = A_{E,0} = 1$ . We do so for two reasons. First, we focus on the role played by heterogeneity in risk and/or in the level of capital, neutralizing any effect driven by the size of countries. Second, unlike other

<sup>&</sup>lt;sup>19</sup>Standard moments for business cycles and asset prices in our baseline calibrations under autarky and financial integration are reported in Appendix A.1.

studies, our focus is not the financial integration of small economies. In the late 1980s-early 1990s, a large set of emerging markets integrated almost simultaneously (see Appendix B for a list of countries and liberalization dates). These countries account for a large share of world GDP, around 50% in 1990,<sup>20</sup> so that general equilibrium effects cannot be neglected. We will investigate further the importance of size for our results in Section 5.

A crucial exogenous parameter for our analysis is the capital stock in both countries at 269 time of integration. In all our baseline experiments, country D starts at its autarky steady-270 state. Country E is significantly capital-scarce, its initial capital stock being 50% of the 271 initial capital stock of country D. This choice for capital scarcity is well justified regarding 272 the set of emerging markets which opened financially since 1985. Their capital-output ratio 273 at time of opening is on average 62% of the one of (already integrated) developed countries, 274 where capital is measured using a perpetual inventory method. With a usual Cobb-Douglas 275 production function, this corresponds to a level of capital per efficiency units in emerging 276 markets equal to 52% of the one of developed countries (see Appendix B for details). 277

**Stochastic structure.** In our baseline simulations, we assume that country E is riskier than 278 country D ( $\sigma_D \leq \sigma_E$ ). In Appendix B, we provide evidence on the difference in volatility 279 between developed countries and a set of emerging markets which integrated into the world 280 economy since 1985. On an annual basis, the average output growth volatility of these liberal-281 izing emerging markets is 4.9% compared to 2.5% in (already integrated) developed countries. 282 Accordingly, in our baseline calibration,  $\sigma_D$  is set to 2.5% while  $\sigma_E$  is twice as large, set to 283 5%. The persistence of stochastic shocks  $\rho$  is set to 0.9 for both countries.<sup>21</sup> For simplicity, we 284 assume, that productivity shocks are uncorrelated across countries but investigates alternative 285 stochastic structures in Section 5. If anything, such a calibration tends to overstate the gains 286 from financial integration, as the potential for risk sharing is overestimated. 287

<sup>&</sup>lt;sup>20</sup>The total set of emerging countries liberalizing described in Appendix B accounted in 1990 for 97% of the GDP size of (already integrated) developed countries. If we focus only on emerging countries belonging to the main liberalization wave (between 1988 and 1992), they still account for 83% of the size of (already integrated) developed countries. Note that this sample of countries does not include Russia and Central and Eastern European countries due to lack of data for these countries pre-1990. See Appendix B for details.

<sup>&</sup>lt;sup>21</sup>Such a persistence parameter for productivity shocks is well within the range of admissible values (standard estimates on an annual basis are usually slightly lower even though not statistically different from 1). A lower value for  $\rho$  would reduce further the benefits from integration.

## <sup>288</sup> 3 Growth and consumption dynamics in a risky world

We turn to the simulations of our model in the baseline calibrations. This section describes the growth and consumption dynamics of countries under integration (compared to autarky) as well as the paths of net foreign assets and world interest rates. These simulations are also helpful to build intuitions for the welfare implications developed in Section 4.

### <sup>293</sup> 3.1 A riskless world: the role of capital scarcity

First, we briefly recall the predictions of the neoclassical growth model with respect to financial 294 integration in a deterministic environment. In partial equilibrium analyses, countries, modeled 295 as small open economies with different degrees of capital scarcity, do not impact the world 296 rate of interest when they integrate financially. They import capital if their autarky interest 297 rate is above the world rate of interest, which will be generally the case if they are capital-298 scarce emerging markets. Upon integration, their time profile of consumption is perfectly 299 smoothed, investment jumps up. Capital flows from 'low marginal product of capital countries' 300 (developed countries) to 'high marginal product countries' (emerging countries). Financial 301 integration brings welfare gains at it speeds up capital accumulation towards the steady state 302 capital stock, pinned down by the exogenous world rate of interest. Quantitatively, Gourinchas 303 and Jeanne (2006) show these gains are small (around 1% increase in permanent consumption 304 for realistic degrees of capital scarcity), a reflection of their transitory nature. 305

Experiment 1: A riskless world in general equilibrium. Figure 1 shows the dynamics of 306 macro variables in a non-stochastic environment ( $\sigma_D = \sigma_E = 0$ ).<sup>22</sup> Compared to Gourinchas 307 and Jeanne (2006), we relax the small open economy assumption—so the world rate of interest 308 is here endogenously determined. The environment is symmetric except that the emerging 309 country starts off being 50% capital scarce, while the rest of the world (developed country) 310 starts at its autarky steady state. The upper (lower) panel of Figure 1 shows the capital and 311 consumption transition paths for the developed (emerging) country as well as interest rates 312 (net external debt over GDP). Dashed lines refer to autarky levels while plain lines refer to 313

<sup>&</sup>lt;sup>22</sup>Simulations are performed with an EIS  $\psi$  equal to 1/4. The risk aversion is irrelevant in this case.

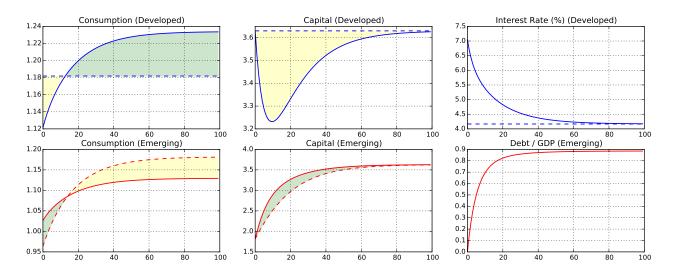


Figure 1: Dynamics along the deterministic path in Experiment 1. Notes: Preference and technology parameters of the model are shown in Table 1 (upper part). Countries are symmetric except for initial capital stock. The capital scarce country is endowed at the date of integration with 50% of the autarkic steady-state capital stock while the developed economy starts at its steady state. There is no uncertainty. Dotted lines (resp. solid lines) refer to autarky levels (resp. levels under integration).

levels after integration. The developed country lends to the capital scarce emerging country 314 to finance its capital accumulation: country D cuts consumption and grows at a slower pace 315 under integration, while the emerging country grows faster. Like in the small open economy 316 case, the benefits of integration come from the capacity of the capital scarce economy to 317 borrow in order to speed up capital accumulation and reach faster its steady state capital 318 stock. Unlike in the small open economy case, consumption is not constant over time and the 319 debt level is not as high due to the increase of the world interest rate upon integration. In 320 general equilibrium, the increase in output and consumption of the capital scarce economy 321 are dampened by adverse movements of the world interest rate. 322

### 323 3.2 A risky world: capital scarcity and risk sharing effects

We now turn to the richer predictions of the stochastic model, focusing on the interactions between the risk sharing motives and the effect of integration on capital accumulation. To our knowledge, these interactions, which materially affect the predictions of the model with respect to consumption, investment and output have not been studied in the literature.

Risky steady-states. The steady state of the model depends on the risk sharing opportu-328 nities of agents due to the presence of precautionary savings (Coeurdacier, Rey and Winant 329 (2011)). As financial integration modifies the ability to smooth shocks, it has a first order 330 effect in the long-run by modifying the steady-state towards which the economy is converging. 331 Under autarky, countries converge to a steady-state described in the first panel of Table 2 in 332 the CRRA case (Baseline low risk aversion, Top Panel) and in the Epstein-Zin case (High risk 333 aversion, Bottom Panel). The difference in volatility is the only (long-run) asymmetry in the 334 model. The riskier country E accumulates more capital and produces more output in its au-335 tarky steady-state. This is due to the presence of higher precautionary savings in that country 336 which also depress its autarky interest rate. With a low risk aversion, the model generates 337 fairly small cross-country differences in the autarky steady-state levels of capital. The riskier 338 country E ends up with a level of capital stock 4% higher than the safer country (top panel 339 of Table 2). With a higher level of risk aversion ( $\gamma = 40$ ), precautionary savings increase and 340 differences in autarkic steady-states level of capital are much larger: the riskier country ends 341 up having a capital stock 25% higher (bottom panel of Table 2).<sup>23</sup> Despite a significant effect 342 of risk on the interest rate and the capital stock, risk premia remain relatively small, even with 343 a high risk aversion.<sup>24</sup> However, it is important to note that the return on equity is equal to 344 the return on risky capital in our baseline. Changing the dividend policy by introducing some 345 leverage increases the riskiness of dividends and the equity premium (Jermann (1998)). In 346 Appendix A.3, we show how levered dividends can generate equity premia 4 to 5 times larger 347 than in our baseline of Table 2—without affecting the firm value, consumption and capital 348 accumulation (Modigliani-Miller).<sup>25</sup> 349

350

Under financial integration (bond only), the steady-state level of capital converges across

 $<sup>^{23}</sup>$ The higher steady-state capital stock in autarky in the emerging country might appear counterfactual. This is true *only* at the steady-state for which there is potentially no empirical counterpart. In the data, at time of opening, emerging markets are significantly capital scarce. Under integration, the riskier country has a lower steady-state capital stock.

<sup>&</sup>lt;sup>24</sup>This is a well-known limit of models with production economies (Jermann (1998), Tallarini (2000)). However, as in Tallarini (2000), our calibration with high risk aversion does replicates reasonable market prices of risk (ratio of risk premium to excess returns volatility). See Appendix A.1.

 $<sup>^{25}</sup>$ With a high risk aversion, the equity premium with levered dividends is however somewhat lower than in the data, unless assuming a leverage that exceeds the data.

| Low risk aversion $(\gamma = 4)$     |  |            |                         |   |   |  |  |  |
|--------------------------------------|--|------------|-------------------------|---|---|--|--|--|
| Autarky                              |  |            |                         |   |   |  |  |  |
|                                      | Capital $k$                                    | Output $y$ | Riskless rate $1/p - 1$ | Risk premium                                      | Net foreign assets<br>Output                      |  |  |  |
| Country $D$                          | 3.68   | 1.48       | 3.95 %                  | 0.10%   | 0%  |  |  |  |
| Country $E$                          | 3.83   | 1.50       | 3.32~%                  | 0.39%   | 0%  |  |  |  |
| Financial integration (bond only)    |  |            |                         |   |   |  |  |  |
|                                      | Capital $k$                                    | Output $y$ | Riskless rate $1/p - 1$ | Risk premium                                      | $\frac{\text{Net foreign assets}}{\text{Output}}$ |  |  |  |
| Country $D$                          | 3.70   | 1.48       | 3.90~%                  | 00 % 0.10%  |   |  |  |  |
| Country $E$                          | 3.66   | 1.48       | 3.90~%                  | 0.18%   | 282.0%  |  |  |  |
| High risk aversion ( $\gamma = 40$ ) |  |            |                         |   |   |  |  |  |
| Autarky                              |  |            |                         |   |   |  |  |  |
|                                      | Capital $k$                                    | Output $y$ | Riskless rate $1/p - 1$ | Risk premium                                      | $\frac{\text{Net foreign assets}}{\text{Output}}$ |  |  |  |
| Country $D$                          | 4.10   | 1.53       | 2.54~%                  | 0.63%   | 0%  |  |  |  |
| Country $E$                          | 5.12   | 1.63       | -0.77 %                 | 2.33%   | 0%  |  |  |  |
| Financial integration (bond only)    |  |            |                         |   |   |  |  |  |
|                                      | Capital k Output y Riskless rate $1/p - 1$ Ris |            | Risk premium            | $\frac{\text{Net foreign assets}}{\text{Output}}$ |   |  |  |  |
| Country $D$                          | 4.40   | 1.56       | 1.94 %                  | 0.69%   | -206.0%   |  |  |  |
| Country $E$                          | 4.13   | 1.53       | 1.94~%                  | 1.19%   | 210.0%  |  |  |  |

Table 2: Risky steady-state values.

Notes: Parameters of the model are shown in Table 1. Top panel: Baseline with low relative risk aversion. Bottom panel: Baseline with high relative risk aversion. Countries are symmetric except for risk with  $\sigma_D = 2\sigma_E$ .

countries as the riskless rate is equalized across borders. Note however that capital stocks are 351 not fully equalized across countries. The riskier country E ends up with a stock of capital 352 permanently lower than the safer country D as the risk premium on capital remains higher in 353 E due to larger volatility. In other words, contrary to autarky, the cost of capital in E is above 354 the one in D: the increase in the riskless rate in E dominates the fall in the risk premium. The 355 difference between the two capital stocks remains however quantitatively very small. With 356 a high degree of risk aversion ( $\gamma = 40$ ) and a more realistic market price of risk, the risky 357 country ends up with a capital stock under integration about 6% lower than the safe country. 358

The reason is that financial integration brings significant risk-sharing opportunities, despite 359 markets remaining incomplete. As both countries can smooth consumption better following 360 productivity shocks, precautionary savings decline and the world steady-state capital stock 361 falls. This largely affects the riskier country which ends up producing less under financial 362 integration than in the autarkic steady-state—the opposite holds for the safer country.<sup>26</sup> The 363 riskier country turns into a net lender in the steady-state as it gets rid of some of his risk by 364 holding a positive net foreign asset position. The safer country is willing to hold that risk by 365 having a leveraged position since it faces a lower amount of aggregate risk. Contrary to what 366 is obtained with local approximations around a deterministic steady-state (see Schmitt-Grohe 367 and Uribe (2003)), our global solution pins down a stationary cross-country distribution of 368 wealth. In the long term, there is a stable level of debt associated with the equilibrium world 369 rate of interest. Intuitively, the accumulation of net foreign assets by the riskier country is less 370 attractive once his 'buffer stock' of precautionary savings is reached. An unpleasant feature 371 of our predictions though, is the extreme value for the net foreign asset position once the 372 integrated steady-state is reached—above 200% of GDP. This calls for two comments. First, 373 welfare gains from integration as computed in Section 4 would be further reduced if the devel-374 oped country was not allowed—through a stricter borrowing limit—to take such an extreme 375 leveraged position to insure the emerging country. Second, our extension with a worldwide 376 long-run risk component for productivity growth (Section 5) resolves that unrealistic feature 377 of the model, while keeping our results mostly unaffected. 378

This comparison across steady-states highlights a crucial force that is at play within our model when financial integration takes place: integration enables better risk sharing, which at the same time affects the steady state level of capital stock as precautionary savings adjust. As a result the speed of capital accumulation associated to the usual neoclassical gains to financial integration will be altered. We now turn to the description of the transitory dynamics following financial integration in our baseline experiment.

<sup>&</sup>lt;sup>26</sup>In our baseline calibrations, the level of risk is heterogeneous across countries but when the two countries are equally risky, financial integration still enables them to share their aggregate risk. This reduces the need for precautionary savings in both countries and leads to lower steady state levels of capital stock and output.

Experiment 2. Growth and capital flows dynamics along the risky path. This exper-385 iment corresponds to the financial integration of a large, risky and capital scarce (emerging) 386 country E to a safe (developed) country D. We first stick to the CRRA calibration (Baseline 387 Low risk aversion). In Figure 2, we plot the dynamics of consumption and capital in both 388 countries under autarky or following financial integration (in period zero), together with the 389 interest rate in country D and net external debt in country E. Dynamics of aggregate vari-390 ables are taken along the path where agents expect stochastic shocks but the realization of 391 innovations are zero. We refer to this path as the risky path. When a country is capital-392 scarce and far away from its autarky steady-state, its growth accelerates following financial 393 integration—fostering convergence, like in the deterministic model. But the key new aspect 394 is that the steady-state towards which the country converges is changing with financial inte-395 *gration* due to risk-sharing opportunities. Since the growth rate of output depends on how 396 far the country is from its steady-state, two forces are at play: the *capital scarcity* effect and 397 the risk sharing effect which alters the desirability of precautionary savings and modifies the 398 country's steady-state upon integration. 399

For country E, which is both capital scarce and volatile, these two forces are conflicting 400 (Figure 2, bottom panel). On the one hand, capital scarcity implies faster convergence and 401 faster growth upon financial integration compared to autarky. On the other hand, since the 402 steady-state level of capital of the riskier country decreases with integration, the country 403 is now *closer* to its steady-state. This implies a lower rate of output growth compared to 404 autarky. Which effect dominates at a given date depends on the initial level of capital stock 405 in the country and distances towards autarky and integration steady-states. If country E is 406 sufficiently capital scarce as in our baseline experiment, the capital scarcity effect dominates 407 initially and financial integration leads to a growth acceleration in country E. This acceleration 408 is however muted compared to the deterministic case.<sup>27</sup> As time passes, the capital scarcity 409 effect dissipates and the dominant effect is the risk sharing one. Growth slows down and 410

<sup>&</sup>lt;sup>27</sup>In another experiment not shown where capital scarcity is less important (country E being 15% away from country D's capital stock), country E is growing at a slower pace compared to autarky at the date of integration.

is lower under integration than under autarky. For country D, which starts at its autarky steady-state (upper panel of Figure 2), the growth rate tends to fall on impact since resources are initially allocated to the capital scarce economy with the highest marginal productivity of capital. Later on, the growth rate of country D picks up since it enjoys a higher steady-state level of output as it integrates with a more volatile economy. Interestingly, both countries exhibit growth and consumption reversals due to financial integration.

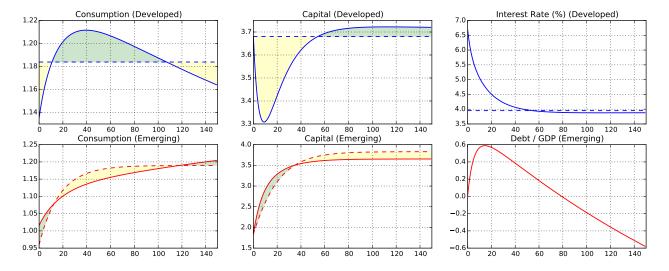


Figure 2: Dynamics along the risky path in Experiment 2 (low risk aversion). Notes: Parameters of the model are shown in Table 1 (baseline with low risk aversion  $\gamma = 4$ ). Countries are asymmetric in terms of risk with  $\sigma_E = 2\sigma_D$ . Initial capital stock of the risky country E is at 50% of the one in the safe country D. Safe country starts at its autarky steady-state. Dotted lines (resp. solid lines) refer to autarky levels (resp. levels under integration).

For capital flows, similar conflicting forces are at play: on the one hand, country E has 417 a higher marginal productivity of capital at opening and is willing to borrow internationally. 418 On the other hand, E wants to lend for self-insurance due to its higher level of risk. When 419 the country is further away from its steady-state, the capital scarcity effect dominates and 420 country E tends to run current account deficits. As it converges, the risk sharing effect starts 421 to dominate and country E runs current account surpluses. In the long-run, the intertemporal 422 budget constraint imposes that country E, which ends up as a net lender, runs trade deficits 423 financed by debt payments of country D. Hence, our model exhibits capital flow reversals 424 along the transition path. Quantitatively, country E starts running a trade deficit of about 425 10% of its GDP immediately after opening, then moves into surplus of roughly 3% of GDP 426

<sup>427</sup> (attained after two decades) before moving back again much later into a deficit.

Experiment 3. Growth and capital flows dynamics with high risk aversion. We consider the alternative calibration under non-expected utility, setting the risk aversion  $\gamma$  to the value of 40 to increase the market price of risk (see Tallarini (2000) among others).

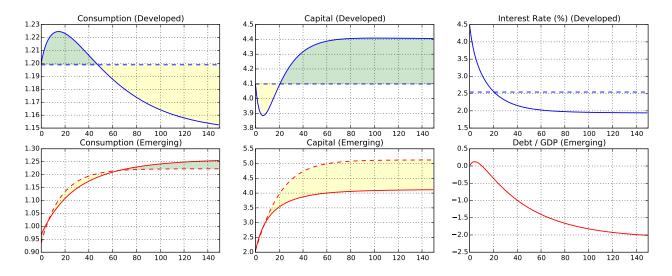


Figure 3: Dynamics along the risky path in Experiment 3 (high risk aversion). Notes: Parameters of the model shown in Table 1 with a high level of risk aversion  $\gamma = 40$ . Countries are asymmetric in terms of risk with  $\sigma_E = 2\sigma_D$ . Country *D* starts at its autarky steady-state. Country *E* starts with a capital stock equal to 50% of the one in country *D*.

Figure 3 shows the main variables of interest following integration. The dynamic is quan-431 titatively altered compared to the previous experiment with a low risk aversion but intuitions 432 are the same. We insist on the differences in terms of output growth dynamics. Since coun-433 tries care more about risk, the effects driven by the reallocation of precautionary savings are 434 quantitatively amplified compared to the effects due to capital scarcity. Capital still moves 435 away from the capital-abundant country D upon integration, which grows initially at a smaller 436 pace. However, this reallocation of capital due to the capital scarcity of E is severely muted 437 and quickly dominated by the reallocation of precautionary savings away from the risky coun-438 try towards the safe one. D grows at a much faster pace later on, ending with a significantly 439 higher capital stock.<sup>28</sup> Capital flows towards D finance a long-lasting consumption and invest-440

<sup>&</sup>lt;sup>28</sup>The permanent difference in the long-run capital stock between autarky and integration is quantitatively important when risk premia are large: under integration, country D ends up with capital stock 6% larger while E ends up with a capital stock 20% smaller.

ment boom in the country. In contrast, despite a low initial capital stock, the output growth
of the emerging market barely increases at integration and over time the country turns into a
capital exporter, growing at a slower pace than it would have under autarky.

### **3.3** Empirical Implications

<sup>445</sup> Our experiments mimic the financial integration episodes of a large set of emerging markets <sup>446</sup> starting in the late eighties. We discuss the main testable implications in light of the litera-<sup>447</sup> ture on the growth effect of financial integration and confront to the data some predictions <sup>448</sup> regarding the dynamics of capital flows and asset prices along the long-lasting transition.

The growth effect of financial integration. Our experiments illustrate the heterogenous 449 effects of financial integration on output growth both across developed and emerging countries 450 and over time. One strand of the empirical literature, based on cross-country regressions, 451 tries to identify an *average* effect of financial integration on growth—leaving aside potential 452 heterogeneous responses (see survey by Kose et al. (2009)). Empirical estimates vary widely 453 across studies, across countries samples and time-periods. By showing that the growth effect 454 of financial integration varies across countries and over time, our theory qualifies this empirical 455 literature and sheds some light on the lack of robust findings. 456

Another strand of the literature discussed in Henry (2007) compares the growth per-457 formance of emerging markets before and after financial integration—zooming on the time-458 window around capital account liberalization episodes. This literature tends to find more 459 robust positive effects of financial integration on output and capital accumulation. The effect 460 remains very moderate though, an increase in output growth in emerging countries of at most 461 1% following liberalization episodes—likely an upper-bound due to policy endogeneity (Henry 462 (2007)). In line with the evidence, output growth in country E does increase at the time of 463 integration in our baseline experiments and the magnitude of the effect is within the range of 464 empirical estimates.<sup>29</sup> However, our experiments also qualifies this empirical evidence. While 465

<sup>&</sup>lt;sup>29</sup>Considering the estimates of Henry (2007), the growth rate of the capital stock increases by 1.1% in the years following liberalization episodes. Abstracting from effects on total factor productivity, this corresponds to a 0.4% increase in output growth with a capital share of 1/3. In experiment 2 (resp. 3), output growth increases by about 1% (resp. 0.05%) following integration. Related empirical studies (see Henry (2007)) focus on the

the emerging country is predicted to grow faster at opening, it grows at a slower pace compared
to autarky later on. These empirical studies are silent regarding the effect at longer horizons.
One cannot identify the impact of integration decades later without counterfactual growth
observed in an autarky regime. This is precisely why our theory is helpful in enlightening the
debate on the growth effects of financial integration.

The dynamics of capital flows. In our experiments, emerging countries initially import 471 capital to finance their faster capital accumulation (capital scarcity effect) before turning 472 into capital exporters for self-insurance (risk-sharing effect). Turning to data on net external 473 positions (Lane and Milesi-Ferretti (2018)), one can aggregate current account balances and 474 net foreign assets for the sample of 40 emerging markets liberalizing in the late eighties/early 475 nineties (Appendix B.1). This sample did exhibit a capital flows reversal over the recent 476 period. While capital was flowing towards this set of emerging markets until the late nineties, 477 they started to run current account surpluses in the 2000s. Their net foreign assets as a share 478 of GDP worsen until 1999 before improving in the later years.<sup>30</sup> 479

The dynamics of asset prices. Our theory provides predictions regarding the evolution 480 of the risk-free rate and the return to risky capital during the transition in the integration 481 regime: (i) the initial faster accumulation of capital in the emerging country together with the 482 later progressive reallocation of precautionary savings trigger a long-lasting fall in the risk-483 free rate; (ii) over time, the developed country provides insurance to the emerging country 484 and its levered external position translates into a higher risk premium on its capital; (iii) 485 for the emerging country, improved risk-sharing lowers the risk premium. The predictions 486 are consistent with the fall of the world real interest rate since the late 1980s.<sup>31</sup> Considering 487 returns to risky capital, the model unambiguously predicts a progressive fall in the return 488 to capital in the emerging country. While time-series data on aggregate returns to capital 489

asset prices implications of integration, finding a fall in the cost of capital and/or a stock price revaluation for emerging markets around liberalization dates. Our experiments are consistent with such findings *at the time of integration* as the risk-free rate of emerging markets falls together with the risk premium.

<sup>&</sup>lt;sup>30</sup>The net foreign asset position of these countries worsen until 1999 to reach -25% of their GDP. Starting in the 2000s, their net foreign asset over GDP improves progressively, reaching -6% of GDP in 2015. This pattern is, in magnitude and in terms of timing, within the range of the predictions of our baseline experiments.

<sup>&</sup>lt;sup>31</sup>Quantitatively, the fall in the risk-free rate over twenty years following integration is about 2% in our experiments—about 40% of the fall observed in the data.

in emerging countries are not directly available, evidence in Ohanian et al. (2018) for Asia 490 and Latin America, indicates that, if anything, returns to capital have been falling in those 491 regions since the 1980s in line with our experiments. For the developed country, the effect 492 of the risk-free rate dominates in our calibrations and the return to capital also falls in the 493 transition. Thus our model does not account for the stable return observed over the period 494 in developed countries (see estimates using national accounts in Gomme et al. (2011) for the 495 U.S. and Ohanian et al. (2018) for developed countries). It remains a challenge to separate 496 enough the evolution of the return to capital from the one of the risk-free rate.<sup>32</sup> 497

## 498 4 Welfare analysis

<sup>499</sup> If riskier countries are also capital scarce at opening, the effect on output is ambiguous, depend-<sup>500</sup> ing on two conflicting forces, the standard efficiency gains and the reallocation of precautionary <sup>501</sup> savings towards the safer country. Our findings thus qualify the conventional wisdom that <sup>502</sup> risky and capital scarce emerging countries should face large gains from financial integration. <sup>503</sup> In this section, we present quantitative estimates of the welfare gains of integration.

Definition of welfare gains. We express welfare gains in terms of equivalent increase in permanent consumption compared to autarky. For a given asset market structure (A for autarky or FI for financial integration), define the permanent certainty equivalent level of consumption  $\overline{c_i}^j$  in country  $i = \{D, E\}$  in regime  $j = \{A; FI\}$  such that:  $U_{i,0}^j(\overline{c_i}^j) = E_0(U_{i,0}^j)$ , where  $U_{i,0}^j$  is the utility defined recursively in Equation (4) in regime  $j = \{A; FI\}$  and  $\overline{c_i}^j$  the constant consumption providing the same expected utility. The welfare gains from financial integration in country i, in % increase of permanent consumption, are equal to  $\frac{\overline{c_i}^{FI} - \overline{c_i}^A}{\overline{c_i}^A} \times 100$ .

### <sup>511</sup> 4.1 Welfare analysis with constant relative risk aversion

<sup>512</sup> We start by quantifying the welfare gains in our baseline case with low risk aversion.

<sup>513</sup> **Results**. Table 3 (upper panel) provides a summary of the findings with CRRA utility

 $<sup>^{32}</sup>$ In our baseline experiments, the risk premium remains low compared to the data. The version of the model with long-run risk does better in levels but the *change* in the return to capital over time remains largely dominated by the *change* in the risk-free rate.

(Baseline Low Risk aversion). The Baseline corresponds to Experiment 2, where country E is 514 riskier and capital scarce initially. The 'no capital scarcity' case corresponds to a case where 515 the emerging country starts with the same level of capital as the developed country (only 516 risk asymmetry). Keeping all other parameters identical, we also provide results for a case 517 with symmetric (developed) countries (symmetric risk  $\sigma_D = \sigma_E = 2.5\%$  and identical initial 518 autarky steady-state capital stock, line 3 of Table 3), for endowment economies (infinite capital 519 adjustment costs  $\xi \to \infty$ , line 4 of Table 3) and for the riskless world model ( $\sigma_D = \sigma_E = 0$ , 520 line 5 of Table 3). In the latter case, E starts off being capital-scarce ( $k_{E,0}$  is 50% of the 521 initial (steady-state) capital stock of D). Thus, it has to be compared to the capital scarce 522 experiment with aggregate risk (Baseline, line 1 of Table 3). 523

|                      |                         | Country $D$ | Country $E$ |
|----------------------|-------------------------|-------------|-------------|
| CRRA Utility         | Baseline (Exp. 2)       | 0.39%       | 0.52%       |
| Low risk aversion    | No capital scarcity     | 0.25%       | 0.23%       |
|                      | Symmetric               | 0.09%       | 0.09%       |
|                      | Endowment               | 0.60%       | 0.56%       |
|                      | Riskless world (Exp. 1) | 0.29%       | 0.37%       |
| Non-Expected Utility | Baseline (Exp. 3)       | 0.80%       | 0.32%       |
| High risk aversion   | Endowment               | 1.79%       | 0.43%       |

Table 3: Welfare gains of financial integration.

Notes: Gains expressed in % equivalent increase of permanent consumption. Parameters of the model are shown in Table 1 (low risk aversion with  $\gamma = 4$  and high risk aversion with  $\gamma = 40$ ). For the benchmark and 'no capital scarcity' cases,  $\sigma_E = 2\sigma_D = 5\%$ . For the 'symmetric' case:  $\sigma_D = \sigma_E = 2.5\%$  and both countries start at their autarky steady state capital stock. In the riskless world and in the benchmark cases, country E is capital scarce (50% of the developed country capital stock) at date 0. In the endowment case, both countries have the same initial size and adjustment costs to capital are infinite.

First and foremost, in our stochastic model with production, gains from financial integration are remarkably small for each country: at most half-a-percent of permanent consumption despite the presence of both types of gains, efficiency gains and gains from better risk-sharing. Indeed, gains from efficient reallocation of capital and gains from risk-sharing are roughly speaking substitutes, which makes it unlikely to observe large gains from financial integration for any country. The intuition goes as follows: the riskier country benefits the most from <sup>530</sup> better consumption smoothing, but self-insurance requires capital to reallocate away from <sup>531</sup> that country. This goes against what standard neoclassical efficiency gains would require as <sup>532</sup> the riskier country is also capital scarce. Reciprocally, as the country is initially very capital <sup>533</sup> scarce in our baseline, by importing capital initially for efficiency reasons, the risky country <sup>534</sup> cannot self-insure optimally, reducing its gains from risk-sharing along the transition.

The risky country has to pay a price for better insurance, which benefits the safer one— 535 in the form of higher consumption for a while following integration. The emerging country 536 benefits more from the efficient reallocation of capital but this entails welfare costs as it 537 has to bear more risk along the transition to build up its capital stock. Thus, perhaps 538 counter-intuitively, gains from better risk sharing are relatively equally shared, even though 539 the safer country ends up with an almost unchanged consumption volatility under integration 540 (see Appendix A.1 for business cycles moments).<sup>33</sup> In a world with symmetric (but low) risk, 541 welfare gains are even smaller: this is not a surprise since similar countries have less incentives 542 to reallocate capital and risk—lowering the 'gains from trade'. 543

Comparison with alternative models. The gains from integration are significantly higher for endowment economies, even if there are no efficiency gains due to the capital reallocation.<sup>34</sup> With endogenous production, gains from risk-sharing are significantly smaller for both countries because capital can be used in the autarky regime to smooth stochastic shocks.

<sup>548</sup> Our findings call for another important comment when comparing to Gourinchas and <sup>549</sup> Jeanne (2006). In their small open economy set-up, capital reallocation is not slowed down <sup>550</sup> by a raise in the world interest rate. In partial equilibrium, welfare gains of the capital scarce <sup>551</sup> economy amount to a 1.30% increase of permanent consumption while in general equilibrium <sup>552</sup> (in Exp.1), the emerging country gains 0.37% of consumption and the rest of the world 0.29% <sup>553</sup> only. Not taking into account adverse changes of interest rates leads to an overestimation of <sup>554</sup> the neoclassical gains of financial integration even without risk.

 $<sup>^{33}</sup>$ Two conflicting forces under integration are at play to determine the steady-state volatility of consumption of *D*: *D* can smooth better transitory shocks through the bond market but *D* is also holding more risk on average (leveraged position). The former effect dominates slightly in our calibration with a low risk aversion, while the latter effect dominates with a high risk aversion.

<sup>&</sup>lt;sup>34</sup>This experiment corresponds to the ones run in the international risk-sharing literature (see van Wincoop (1999) and Lewis (1999) among others for references).

Timing of the welfare gains. Countries can extract most of the welfare benefits in the 555 earlier periods (and then pay in later periods), or conversely, suffer in the earlier periods for 556 larger gains in the far future. Abstracting from capital scarcity, gains are front loaded by 557 the safer country which initially enjoys a consumption boom. Gains in the medium-run (first 558 two decades following integration) are thus potentially much larger than the overall gains. 559 Far in the future, country D faces more volatile consumption due to its leveraged position 560 and cuts its consumption to pay back the initial debt. The opposite holds for the riskier 561 country which significantly cuts consumption in the medium-run for better self-insurance far 562 in the future. Holding risk constant across countries, welfare gains are front loaded by capital 563 scarce economies. Therefore, two forces are at play: on one side, the capital scarcity effect 564 generates medium-run consumption gains (resp. losses) for country E (resp. country D). On 565 the other side, the reallocation of precautionary savings towards the safer country generates 566 medium-run gains (resp. losses) for country D (resp. country E). In our simulations, we find 567 that on average both effects tend to offset each other and both countries have fairly small 568 consumption gains in the first twenty years following integration. 569

### <sup>570</sup> 4.2 Welfare analysis with non-expected utility

<sup>571</sup> We now compute welfare gains with recursive utility, cranking up the degree of risk aversion to generate higher risk premia. Other parameters are kept to their baseline values (Table 1). Welfare gains in our baseline financial integration experiment with a high risk aversion ( $\gamma = 40$ ) are shown in Table 3 (bottom panel). To isolate the effect driven by the price of risk, Figure 4 shows the welfare gains as a function of the degree of risk aversion  $\gamma$  when countries are asymmetric in terms of risk but start with the same level of capital ( $\frac{k_{E,0}}{k_{D,0}} = 1$ ).

Aggregate welfare gains. First, overall welfare gains from integration (i.e the average of the gains across countries) are increasing in the degree of risk aversion. International risk sharing is more valued with higher risk aversion. However, despite a higher market price of risk, the welfare gains remain small, with an average across countries barely above 0.5%. As in the CRRA case, they are also remarkably lower in production economies than in endowment economies—despite gains from more efficient capital reallocation.

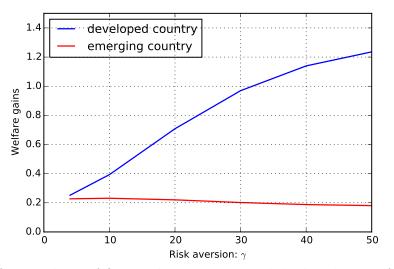


Figure 4: Welfare analysis of financial integration with higher degree of risk aversion. Notes: Gains are expressed in % equivalent increase of permanent consumption as a function of risk aversion  $\gamma$ . Countries starts off with the same capital stock (no capital scarcity)  $\frac{k_{E,0}}{k_{D,0}} = 1$ . Individuals have Epstein-Zin preferences with an elasticity of intertemporal substitution  $1/\psi = 0.25$  and a risk aversion  $\gamma \geq 4$ . Other parameters of the model are kept identical to the ones in Table 1.

**Distribution of welfare gains**. Welfare gains are remarkably low for the risky country 583 for any level of risk aversion (always below 0.5%). They are unevenly shared between the 584 safe and the risky country: the higher the degree of risk aversion, the more the safe country 585 benefits from financial integration compared to the risky country (see Figure 4 in the absence 586 of capital scarcity in E). With  $\gamma = 40$ , welfare gains in the safe country are getting close to 587 1% of permanent consumption (versus 0.39% in the experiment with  $\gamma = 4$ ). The emerging 588 risky country has actually lower gains when  $\gamma = 40$  (only 0.32% of permanent consumption 589 compared to 0.52% with  $\gamma = 4$ ). The intuition for this result goes as follows: the safe 590 country has the technology that both countries prefer, i.e. a less risky production function. 591 Comparative advantage logic predicts that the safe country benefits more from trading. The 592 higher the risk aversion the more agents value the safest technology, increasing thereby the 593 terms of trade of the safe country. The risky country benefits more from risk sharing when 594 more risk averse but the costs of reallocating risk are also much higher: insurance is more 595 expensive and the world interest rate is much lower upon integration (see Figure 3). 596

### <sup>597</sup> 4.3 Sensitivity and Accuracy

The role of capital scarcity. We investigate how the overall welfare gains from integration depend on the initial relative endowment in capital. Figure 5 shows the welfare benefits (solid lines) in our baseline with low risk aversion (upper panel) and with high risk aversion (lower panel) as a function of the relative initial capital stocks  $\left(\frac{k_{E,0}}{k_{D,0}}\right)$ .

With CRRA utility (upper panel), the curves exhibit a clear U-shape since large ex-ante 602 differences in capital stocks increase benefits from efficient capital reallocation. For most values 603 of relative capital stock, the safer country benefits more from integration but the difference 604 is small quantitatively for low risk aversion. With a high risk aversion (lower panel), the 605 safer country extracts a much larger share of the benefits. The risky country benefits less 606 from integration when risk aversion is high, even if capital scarce, since the dominant force 607 driving the capital allocation across countries is the reallocation of precautionary savings. For 608 the safer country, welfare gains are larger but the shape of the curve is also modified. The 609 minimum is shifted to the left and the slope is now steeper: when the safe country starts 610 with an initially low level of capital, the gains from integration are larger. The reallocation of 611 precautionary savings and the reallocation of capital for efficiency reasons are complementing 612 each other. They both imply capital flow towards the safe country. With a higher risk aversion, 613 the larger reallocation of precautionary savings away from the risky country accelerates the 614 convergence of the safe country when capital scarce, boosting its gains from integration. 615 Global methods vs. perturbations. Figure 5 also shows the welfare gains estimated using 616 a standard *second-order* perturbation method around the deterministic steady-state (dotted 617 lines). The perturbation method gives results similar to our global method when none of 618 the country is significantly capital scarce and when the degree of risk aversion is low. For 619 these parameter values, the model does not drift too far away from the approximation point 620 and curvature in the utility is small enough to guarantee a minimal effect of non-linearities.<sup>35</sup> 621 Perturbation methods are however very inaccurate when risk aversion is set to a high value 622 and/or one country is significantly capital scarce. 623

<sup>&</sup>lt;sup>35</sup>When countries start with similar level of capital (or slightly higher in the emerging country), welfare gains are underestimated for the safe country using the perturbation method, even with low risk aversion. The perturbation methods does not capture well that the minimum level of gains for the safe country is shifted to the left (compared to the deterministic case) due to the reallocation of precautionary savings. When one country is very capital scarce and/or precautionary savings matter more (high risk aversion), the perturbation methods provides inaccurate estimates of the welfare gains. This is the combination of two effects: non-linearities are more important with significant capital scarcity or high curvature in the utility function and the risky steady-state is further away from the deterministic one.

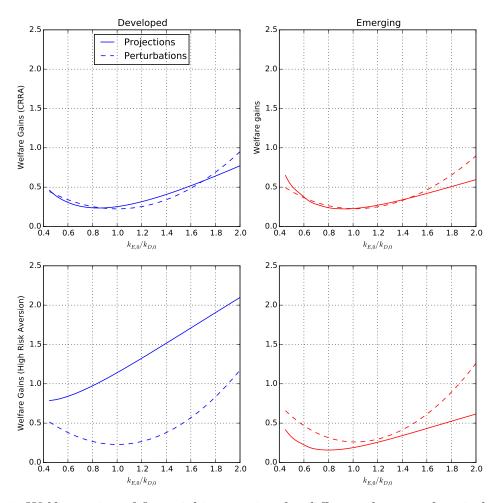


Figure 5: Welfare gains of financial integration for different degrees of capital scarcity. Notes: Gains are expressed in % equivalent increase of permanent consumption as a function of initial relative capital stock  $(\frac{k_{E,0}}{k_{D,0}})$ . The upper panel correspond to our baseline calibration with CRRA utility ( $\gamma = \psi = 4$ ). The lower panel corresponds to Epstein-Zin preferences with high risk aversion ( $\gamma = 40$  and  $\psi = 4$ ). Other parameters of the model are kept identical to the ones shown in Table 1. Dotted lines are welfare estimates using second-order perturbation methods.

### <sub>624</sub> 5 Robustness Checks and Extensions

We perform a wide range of robustness checks regarding the stochastic process governing 625 the shocks, the financial asset market structure (assuming complete markets) and the size 626 of countries. In particular, we provide an extension of our model with a world long-run 627 risk component to generate a significant market price of risk without extreme values for 628 the risk aversion. Our main findings still hold: financial integration does not bring sizable 629 welfare gains, in particular for riskier emerging economies where benefits do not exceed 1% of 630 permanent consumption for realistic parameter values. Only a small, capital scarce and very 631 safe country can extract significant welfare gains when integrating to riskier countries. 632

#### <sup>633</sup> 5.1 Alternative specifications of transitory risk

We investigate the robustness of our findings with respect to the stochastic structure in the baseline model of Section 2. We compute the welfare gains for different levels of volatility in the risky country  $\sigma_E$  and different correlation  $\zeta$  of productivity shocks across countries.

Data. In our sample of emerging countries integrating to the world economy, the volatility of output ranges from 2.1% (Spain) to 8.7% (Jordan). The correlation of output growth between emerging countries and the sample of developed countries (already integrated) varies across regions, ranging from close to zero in Asia and Middle-East to 0.6 for Southern Europe countries.<sup>36</sup> The average (GDP-weighted) correlation across all liberalizing emerging markets is equal to 0.20 (see Appendix B).

|                                | Baseline    |       |           |       |               | No capital scarcity |             |       |                |       |               |       |
|--------------------------------|-------------|-------|-----------|-------|---------------|---------------------|-------------|-------|----------------|-------|---------------|-------|
|                                | $\zeta = 0$ |       | $\zeta =$ | 0.25  | $\zeta = 0.5$ |                     | $\zeta = 0$ |       | $\zeta = 0.25$ |       | $\zeta = 0.5$ |       |
|                                | D           | E     | D         | E     | D             | E                   | D           | E     | D              | E     | D             | E     |
| (Symmetric) $\sigma_E = 2.5\%$ | 0.37%       | 0.49% | 0.35%     | 0.47% | 0.35%         | 0.46%               | 0.09%       | 0.09% | 0.07%          | 0.07% | 0.05%         | 0.05% |
| (Baseline)<br>$\sigma_E = 5\%$ | 0.39%       | 0.52% | 0.32%     | 0.45% | 0.30%         | 0.41%               | 0.25%       | 0.23% | 0.15%          | 0.14% | 0.07%         | 0.07% |
| $\sigma_E = 10\%$              | 0.93%       | 0.81% | 0.49%     | 0.47% | 0.22%         | 0.30%               | 1.16%       | 0.88% | 0.62%          | 0.50% | 0.18%         | 0.16% |

Table 4: Welfare gains from financial integration with alternative stochastic structures. Notes: Welfare gains from financial integration are expressed in % equivalent of permanent consumption. Apart from  $\sigma_E$  and  $\zeta$ , parameters of the model are set to their baseline values in Table 1 with risk aversion equal to its low value ( $\gamma = 4$ ). In the 'No capital scarcity' experiment, both countries start with the same level of capital corresponding to the autarkic steady-state in D.

**Results**. In the following simulations, all parameters but the volatility  $\sigma_E$  and correlation  $\zeta$ are kept to their baseline values (see Table 1) in the low risk aversion case (Experiment 2). We also provide results when both countries start at the same level of capital ('No capital scarcity', right panel) to isolate better the role of risk sharing. Welfare gains from integration with alternative stochastic structures of transitory shocks are displayed in Table 4.

<sup>648</sup> Higher correlation of shocks  $\zeta$  reduces the gains from integration, limiting the ability of <sup>649</sup> countries to share risks internationally. Abstracting from capital scarcity, gains fall quickly <sup>650</sup> with the level of correlation. For a correlation  $\zeta$  of 0.25 and a volatility  $\sigma_E$  of 5%, very close

<sup>&</sup>lt;sup>36</sup>Abstracting from Southern Europe, the correlation of output growth of a given region of emerging markets with developed countries is always between 0 and 0.35.

to the empirical average across liberalizing emerging markets, gains from financial integration amounts to 0.32% in D and 0.45% in E in our baseline experiment. Larger asymmetry in aggregate risk across countries increases the welfare gains for both countries but the safe country benefits more—similarly to our calibration with a higher market price of risk through higher risk aversion.<sup>37</sup> As country E gets riskier, its precautionary demand for safe assets at opening increases, which benefits the safe country more.

### <sup>657</sup> 5.2 Extension with long-run world productivity risk

<sup>658</sup> Our production economies feature low risk premia, unless one assumes extreme values for <sup>659</sup> the risk aversion. Another unpleasant prediction of the model is very high net foreign asset <sup>660</sup> positions in the long-run risky steady-state, which is reached after a long transition of at <sup>661</sup> least a century. To remedy these limitations, we add persistent shocks to *world* productivity <sup>662</sup> growth, following the long-run risk literature (Bansal and Yaron (2004)).

Set-up with a long-run world productivity risk. We specify a common world component 663 instead of country-specific long-run risks, for technical reasons—otherwise countries dynamics 664 would not be stationary in an incomplete markets model, but this choice is also motivated 665 by empirical evidence. Country-specific long-run risks are found very highly correlated across 666 countries using asset prices data (Lewis and Liu (2015)) or consumption data (Colacito and 667 Croce (2011), Nakamura et al. (2014)).<sup>38</sup> Our framework is thus broadly in line with previous 668 empirical findings, which point towards a fairly low cross-country correlation of transitory risk 669 and a very high correlation of persistent risk. 670

The stochastic total factor productivity  $A_{i,t}$  in country *i* can be decomposed into a transitory country-specific component  $a_{i,t}$  and a persistent world component  $a_{W,t}$ , such that:  $A_{i,t} = a_{W,t}a_{i,t}$ , where  $\log(a_{i,t})$  follows an AR(1) process as defined in Section 2.1—with our baseline

<sup>&</sup>lt;sup>37</sup>Higher risk asymmetry increases welfare gains for both countries in the absence of capital scarcity (right panel of Table 4). With *E* capital scarce (left panel), results are ambiguous at higher level of correlation  $\zeta$  (e.g. third column for  $\zeta = 0.5$ ): in this case, the direction of capital flows due to capital scarcity implies less efficient risk sharing along the transition—the riskier country, attracting capital, is less able to self-insure along the transition. Consumption smoothing is even more limited if shocks are more correlated. The combination of high correlation and capital scarcity can generate lower gains despite higher risk asymmetry.

<sup>&</sup>lt;sup>38</sup>Nakamura et al. (2014) find that world (highly persistent) growth rate shocks are crucial to match crosscountry consumption data over a long-time period. They disentangle country-specific and world growth shocks and find the latter to be twice as persistent and thus more crucial for asset pricing.

calibration of transitory shocks (Table 1). The long-run component  $a_{W,t}$  is such that the world 674 is hit by persistent world TFP growth shocks:  $\log(\frac{a_{W,t+1}}{a_{W,t}}) = \rho_W \log(\frac{a_{W,t}}{a_{W,t-1}}) + \epsilon_{W,t}$ , with  $\epsilon_{W,t}$  and 675 i.i.d process normally distributed with volatility  $\sigma_W - \epsilon_{W,t}$  is assumed to be uncorrelated with 676 transitory shocks. In our baseline with long-run risk (LRR), we use the following values for the 677 persistence  $\rho_W$  and volatility parameter  $\sigma_W$ :  $\rho_W = 0.999$  and  $\sigma_W = 8\% \cdot \sigma_D = 4\% \cdot \sigma_E = 0.002$ — 678 a calibration close to Colacito and Croce (2011, 2013) or Lewis and Liu (2015).<sup>39</sup> For long-run 679 risks to matter for asset prices, the elasticity of intertemporal substitution  $1/\psi$  is assumed 680 above unity, equal to 2. With persistent risk, our model does not require a high risk aversion 681 to generate significant risk premia and we set  $\gamma$  to 10, as in Lewis and Liu (2015). 682

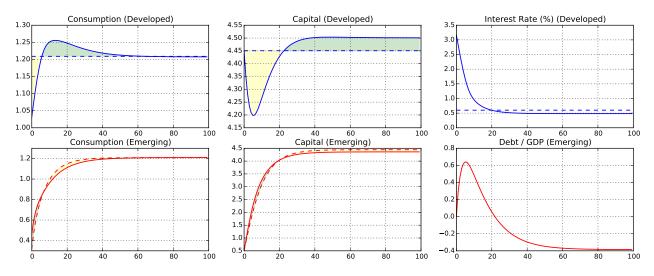


Figure 6: Dynamics along the risky path in presence of long-run world productivity risk. Notes: Preferences are such that  $1/\psi = 2$  and  $\gamma = 10$ —other parameters, including the calibration for transitory risk, are identical to the baseline calibration in Table 1. Persistence (resp. volatility) of long-run world productivity risk  $\rho_W$  (resp.  $\sigma_W$ ) is set to 0.999 (resp. 0.002). Country *D* starts at its autarky steady-state. Country *E* starts with a capital stock equal to 50% of the one in *D*.

**Results**. We describe the risky-steady state under autarky and financial integration in our economies with a world long-run risk in Table A.2 in Appendix A.1. Our version with long-run risk generates significantly higher risk premia (together with a reasonably low risk-free rate): the risk premium under integration is 1.98% (resp. 2.22%) in the developed country (resp.

<sup>&</sup>lt;sup>39</sup>In those papers, the ratio of volatility between long run and short run shocks is small, between 4% and 10% depending on the calibration. Our calibration assumes a slightly more persistent risk since countries they consider— US/UK/Canada—are among the ones with the lowest variability of consumption of our sample. To reduce the state-space, persistent shocks to world productivity growth are approximated by a three-states Markov chain with the same persistence and volatility. See details in Appendix C.

emerging country).<sup>40</sup> The introduction of long-run risk also modifies the long-term distribution 687 of wealth: the safe country still ends up as a debtor but the net foreign asset position is an order 688 of magnitude smaller (-38% in the risky-steady state compared to multiple of GDPs, see Table 689 2).<sup>41</sup> The safe country is willing to borrow from the riskier one but any leveraged position 690 implies a higher exposure to the (non-diversifiable) world-long run risk. Hence, countries 691 choose a smaller net foreign asset positions. For the same reasons, countries are less willing to 692 borrow and lend to smooth transitory shocks, also implying a more compressed distribution 693 of net foreign assets (see Figure A.1 in Appendix A.1). Thus, our extension with a world 694 persistent risk generates more realistic asset prices together with more realistic net foreign 695 asset positions. 696

The dynamics of the main aggregate variables following integration are qualitatively un-697 changed (Figure 6) but the lower magnitude of capital flows reduces significantly the impact of 698 financial integration (compared to autarky)—limiting in particular its growth impact. Regard-699 ing welfare, the same logic applies: as the reallocation of transitory risk in the long-run and 700 the ability to smooth transitory shocks are both limited by the presence of a world long-run 701 risk, welfare gains are very small, significantly smaller than in our baseline calibrations with 702 transitory shocks only. For both countries, the gains are below a 0.1% increase in permanent 703 consumption in our baseline LRR calibration (see Appendix A.2). 704

### <sup>705</sup> 5.3 The role of financial markets structure

In our baseline incomplete markets model, international risk-sharing is limited due to the absence of state-contingent claims. We go to the extreme case of complete financial markets as a robustness check, providing a useful upper-bound of the gains from financial integration. **Solution under complete markets**. To solve the model under complete markets, we assume that the world economy consists of only one fictitious agent whose preferences are identical to those of each country. This agent invests optimally in both countries, maximizing its

<sup>&</sup>lt;sup>40</sup>See Appendix A.1. Our baseline LRR calibration still falls short of observed risk premia compared to the LRR literature as our model features production economies.

<sup>&</sup>lt;sup>41</sup>This lower level of net foreign assets is due to the presence of long-run risk and not to alternative values for the preference parameters—our economy with identical preferences but no LRR behave similarly as in the previous simulations.

intertemporal utility subject to the law of capital accumulation (Equation (2)) and the resource constraints (Equation (11)). Let us denote  $c_t^{CM}$  her consumption. With complete markets and symmetric preferences, each country *i* is consuming a constant fraction  $\lambda_i$  of the world consumption at all dates, with  $\lambda_D + \lambda_E = 1$ :  $c_{i,t}^{CM} = \lambda_i c_t^{CM}$ 

These fractions are allocated according to initial wealth at time of integration, which depends on initial state variables, the capital stock and the productivity level. The wealth  $W_{i,t}$  of country i, a claim on total output net of investment, is defined by the recursive equation:  $W_{i,t} = (y_{i,t} - i_{i,t}) + E_t \{\mathcal{M}_{t+1}W_{i,t+1}\}, \text{ with } \mathcal{M}_{t+1} \text{ the stochastic discount factor common to}$ both countries under complete markets (defined in Equation (5)), which is also the stochastic discount factor of the fictitious representative agent. The initial consumption share  $\lambda_i$  in country i at date of integration (t = 0) is equal to  $\frac{W_{i,0}}{W_{D,0}+W_{E,0}}$ .

We denote by  $\overline{c}^{CM}$  the welfare of the representative (fictitious) agent in terms of permanent consumption equivalent under complete markets. The homogeneity of preferences implies:  $\overline{c_i}^{CM} = \lambda_i \overline{c}^{CM}$ . The welfare increase in % is then  $\frac{\overline{c_i}^{CM} - \overline{c_i}^A}{\overline{c_i}^A} \times 100$  for country *i*.

Welfare analysis under complete markets. Figure 7 shows the welfare benefits from 726 financial integration under complete markets (solid line) as a function of the relative initial 727 capital stocks  $\left(\frac{k_{E,0}}{k_{D,0}}\right)$  in our baseline calibration. The welfare gains are compared to our baseline 728 model with incomplete markets (dotted line). With a low risk aversion (top panel), welfare 729 gains under complete markets are significantly higher than under incomplete markets, roughly 730 doubling in magnitude. They do remain small, about 1% of permanent consumption. With a 731 high risk aversion (bottom panel), the welfare benefits of completing the markets are signifi-732 cantly higher. Depending on the level of initial capital stock and on the country, the gains are 733 roughly three to five times larger than in the model with incomplete markets. In this case, 734 completing the markets has a significant welfare impact since agents are extremely risk averse 735 to consumption fluctuations.<sup>42</sup> When countries start off with similar initial capital stock, 736 gains amount to about 3.26% of permanent consumption in the safe country and 2.43% in the 737

<sup>&</sup>lt;sup>42</sup>This result might come as a surprise as bond-only integration is known to deliver similar outcomes to complete markets unless shocks are almost permanent (Baxter and Crucini (1995), Kollmann (1996)). In our framework, business cycle implications around the steady-state are also similar (Appendix A.1) but welfare benefits are quite different due to low frequency changes in the consumption profiles upon integration.

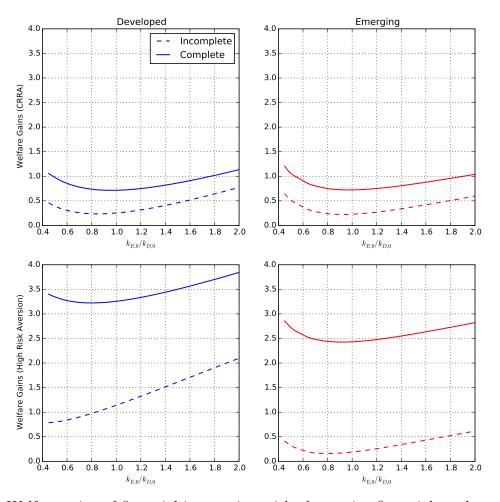


Figure 7: Welfare gains of financial integration with alternative financial markets structure. Notes: Gains are expressed in % equivalent of permanent consumption as a function of initial relative capital stock  $\binom{k_{E,0}}{k_{D,0}}$ . The solid line shows the welfare gains under complete financial markets. The dotted line corresponds to our baseline case with incomplete markets (bond-only). The upper panel corresponds to our baseline calibration with CRRA utility ( $\gamma = \psi = 4$ ). The lower panel corresponds to Epstein-Zin utility with high risk aversion ( $\psi = 4$  and  $\gamma = 40$ ). Parameters are kept identical to the ones shown in Table 1.

risky one—resp. 3.35% and 2.73% when E is significantly capital scarce. This is arguably a 738 loose upper bound of the welfare gains that can be achieved—risk aversion being very high 739 and financial markets complete. The magnitude of the gains has changed but regarding the 740 shape of the curves and the distribution of the gains across countries, our results go through 741 qualitatively. The gains are still unevenly distributed across countries when risk aversion is 742 high, but less so compared to the incomplete markets model. With incomplete markets, the 743 safer asset issued by country D is more valuable since the country E is less able to smooth 744 consumption. 745

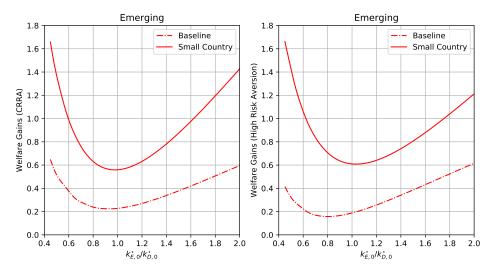


Figure 8: Welfare gains of financial integration with a small country E. Notes: Welfare gains are expressed in % equivalent of permanent consumption as a function of initial relative capital stock per efficiency unit  $\frac{k_{E,0}^*}{k_{D,0}^*}$ , where  $k_{i,0}^* = k_{i,0}/A_{i,0}^{\frac{1}{1-\theta}}$ . The left (resp. right) panel corresponds to low risk aversion (resp. high risk aversion). Parameters of the model are shown in Table 1 apart from relative productivity:  $\frac{A_{E,0}}{A_{D,0}} = (0.1)^{1-\theta}$ . Financial integration is a bond-only economy. The solid line shows the welfare gains with a country E ten times smaller than D. The dotted line corresponds to our baseline with symmetric initial productivity.

#### <sup>746</sup> 5.4 The role of country size

Welfare gains with small countries. Our experiments rely on countries of equal sizes, focusing on the integration of a set of potentially large emerging countries. It is a reasonable baseline to understand the recent liberalizing wave where large emerging markets, accounting for almost 50% of world GDP, integrated financially at similar dates. However, some smaller emerging countries did integrate at earlier (resp. later) dates.<sup>43</sup> From a theoretical perspective, investigating the importance of country size in assessing the welfare benefits of integration also allows comparisons with papers focusing on the case of small open economies.

Smaller countries have little impact on the world interest rate and are less negatively affected by adverse movements in the interest rate, both at opening and when hit by a shock. We explore the case of a smaller country E and set the relative productivity  $\frac{A_{E,0}}{A_{D,0}}$  such that the average output of country E is 10% of the one in country  $D\left(\frac{A_{E,0}}{A_{D,0}} = (0.1)^{1-\theta}\right)$ . All other parameters are kept identical to our baseline experiment (Table 1). Welfare gains from integration are shown in Figure 8 for the risky country of small size for different values of the relative initial capital stocks per efficiency unit. The results in the baseline case of symmetric

<sup>&</sup>lt;sup>43</sup>In our sample, Spain, Portugal and Greece integrated financially in the mid-eighties, before the main wave of liberalization in Latin America and Asia. Oman and Saudi Arabia integrated financially in the late nineties.

<sup>761</sup> initial size/productivity (dotted line) are shown for comparison purposes.<sup>44</sup>

Not surprisingly, market size matters for the distribution of the gains and country E762 benefits more from financial integration if smaller—the converse holds for the large country 763 D. Interest rates move more favorably for country E following financial integration: E is 764 now lending at higher rates, very close to the autarky interest rate of country D. Similarly, 765 when country E is willing to lend more following a productivity shock, interest rates do not 766 fall and the country can smooth consumption at a better price. The overall welfare gains 767 (average across countries weighted by size) remain small. They do not exceed a 1.5% increase 768 of permanent consumption for realistic degrees of capital scarcity. 769

## 770 6 Conclusion

Intuitions about the gains from financial integration are implicitly based on the stochastic 771 neoclassical growth model. But those gains have never been quantitatively evaluated.<sup>45</sup> We use 772 a general equilibrium model featuring aggregate risk, potentially asymmetric across countries, 773 and endogenous capital accumulation. We show that welfare gains from integration remain 774 small, at most a couple percentage points in the favourable cases where risk premia are high. 775 A key finding is that riskier countries while benefiting from risk sharing will also reallo-776 cate precautionary savings towards the safer countries. This has two important implications. 777 First, it qualifies the conventional wisdom that riskier countries should have large gains from 778 financial integration. In reality, safer (developed) country benefit more from their integration 779 with riskier (emerging) countries; they sell insurance at a high price, even more so if risk aver-780 sion and risk premia are high. Second, the standard predictions linking financial integration 781 and growth are altered: financial integration has heterogeneous effects on growth depending 782 on the degree of capital scarcity, the level of risk and the size of countries. It potentially re-783 duces growth in emerging markets compared to autarky if their level of aggregate risk is high 784 compared to developed countries (or if the market price of risk is high). If emerging markets 785

 $<sup>^{44}</sup>$ For such a large size difference, welfare gains are negligible in *D*. Results in the deterministic case are quantitatively very close to the small open economy experiment performed in Gourinchas and Jeanne (2006).  $^{45}$ The literature that has either focused on deterministic efficiency gains in production economies or gains from international risk sharing in endowment economies.

are sufficiently capital scarce at opening, integration accelerates growth in the short-run but 786 slows it down at longer horizons. These heterogeneous responses across countries and across 787 time following financial integration can partially explain why the empirical literature has had 788 difficulties to find robust results. Finally, we focus on previous liberalization episodes where 789 a group of large emerging countries integrated over a short time period. We emphasize how 790 general equilibrium effects significantly reduce the gains compared to the case where only one 791 small country is integrating. This also challenges the way growth benefits of integration have 792 been identified empirically as the literature implicitly assumes that the growth impact of in-793 tegration is independent across countries. From a theoretical perspective, this has the flavour 794 of a pecuniary externality. Individually, benefits of integration can outweigh significantly the 795 costs but correlated behaviour where all emerging countries simultaneously integrate reduces 796 significantly the gains due to adverse price movements. A full-fledged theory of endogenous 797 financial integration with multiple countries is beyond the scope of the paper and left for 798 future work. 799

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- <sup>930</sup> ments Are Weak. The Review of Economics and Statistics, vol. 86(3), 797-810.

# 931 A Additional results

### <sup>932</sup> A.1 Business cycles and asset prices moments

<sup>933</sup> Baseline calibrations. Table A.1 summarizes the basic business cycles and asset prices moments in our baseline calibrations (High and Low Risk Aversion).

|                                      | Financial Autarky |        | Financial | Integration | Complete markets |        |  |  |  |  |
|--------------------------------------|-------------------|--------|-----------|-------------|------------------|--------|--|--|--|--|
|                                      | D                 | Е      | D         | Ε           | D                | Е      |  |  |  |  |
| Standard deviations of:              |                   |        |           |             |                  |        |  |  |  |  |
| Output                               | 1.54%             | 3.02%  | 1.52%     | 3.15%       | 1.53%            | 3.09%  |  |  |  |  |
| Consumption                          | 0.93%             | 1.81%  | 0.87%     | 1.49%       | 1.74%            | 1.74%  |  |  |  |  |
| Investment                           | 3.97%             | 7.80%  | 3.56%     | 6.81%       | 3.55%            | 6.69%  |  |  |  |  |
| Net exports over GDP                 | 0                 | 0      | 0.70%     | 0.71%       | 1.26%            | 1.28%  |  |  |  |  |
| $\mathbf{Asset} \ \mathbf{prices}^a$ |                   |        |           |             |                  |        |  |  |  |  |
| Riskless rate (Steady-state)         | 3.95~%            | 3.32~% | 3.90~%    | 3.90~%      | 3.97~%           | 3.97~% |  |  |  |  |
| Risk premium                         | 0.10%             | 0.39%  | 0.10%     | 0.18%       | 0.07%            | 0.15%  |  |  |  |  |
| Volatility excess returns            | 1.56%             | 3.10%  | 1.41%     | 2.71%       | 1.41%            | 2.71%  |  |  |  |  |
| Market price of risk                 | 6.6%              | 12.5%  | 6.2%      | 10.0%       | 5.1%             | 6.6%   |  |  |  |  |

Baseline Low Risk Aversion

| D 1.     | TT · 1 | D 1   | ۸ ·              |
|----------|--------|-------|------------------|
| Baseline | High   | Risk. | Aversion         |
| Dabonno  | 111511 | TODIX | <b>TIVOIDIOI</b> |

|                           | Financial Autarky |         | Financial | Integration | Complete markets |        |
|---------------------------|-------------------|---------|-----------|-------------|------------------|--------|
|                           | D                 | Е       | D         | Ε           | D                | Е      |
| Standard deviations of:   |                   |         |           |             |                  |        |
| Output                    | 1.53%             | 3.03%   | 1.54%     | 3.07%       | 1.52%            | 3.05%  |
| Consumption               | 0.83%             | 1.36%   | 0.93%     | 1.00%       | 1.56%            | 1.56%  |
| Investment                | 4.13%             | 8.18%   | 4.08%     | 5.49%       | 3.66%            | 6.20%  |
| Net exports over GDP      | 0                 | 0       | 1.21%     | 1.22%       | 1.28%            | 1.27%  |
| Asset prices              |                   |         |           |             |                  |        |
| Riskless rate             | 2.54~%            | -0.77 % | 1.94~%    | 1.94~%      | 2.27~%           | 2.27~% |
| Risk premium              | 0.63%             | 2.33%   | 0.69%     | 1.19%       | 0.48%            | 0.96%  |
| Volatility excess returns | 1.59%             | 3.21%   | 1.48%     | 2.37%       | 1.40%            | 2.54%  |
| Market price of risk      | 38.1%             | 67.3%   | 43.1%     | 54.1%       | 35.3%            | 38.7%  |

Table A.1: Business cycles and asset prices moments.

Notes: Business cycle moments and asset prices moments are obtained by averaging the statistics over 1000 successive runs, each one lasting 150 periods. Output, consumption and investment are shown in log deviations. Parameters of the model are set to their baseline values in Table 1.

934

Extension with world long-run risk. Table A.2 shows the risky-steady states, business
cycles and asset prices moment in our baseline calibration with persistent shocks to world
productivity growth.

| Long-Run Risk Model         |                   |        |           |             |                  |        |  |  |  |
|-----------------------------|-------------------|--------|-----------|-------------|------------------|--------|--|--|--|
|                             | Financial Autarky |        | Financial | Integration | Complete markets |        |  |  |  |
|                             | D                 | Ε      | D         | Ε           | D                | Е      |  |  |  |
| Risky steady state          |                   |        |           |             |                  |        |  |  |  |
| Capital                     | 4.45              | 4.44   | 4.50      | 4.36        | 4.50             | 4.40   |  |  |  |
| Netforeign assets<br>Output | 0                 | 0      | -38.2%    | -38.6%      | /                | /      |  |  |  |
| Standard deviations of:     |                   |        |           |             |                  |        |  |  |  |
| Output                      | 1.53%             | 3.09%  | 1.54%     | 3.11%       | 1.54%            | 3.14%  |  |  |  |
| Consumption                 | 1.18%             | 2.44%  | 1.14%     | 2.00%       | 2.53%            | 2.53%  |  |  |  |
| Investment                  | 2.93%             | 5.52%  | 2.87%     | 5.19%       | 2.84%            | 5.23%  |  |  |  |
| Net exports over GDP        | 0                 | 0      | 0.48%     | 0.60%       | 1.44%            | 1.66%  |  |  |  |
| Asset prices                |                   |        |           |             |                  |        |  |  |  |
| Riskless rate               | 0.60~%            | 0.23~% | 0.48~%    | 0.48~%      | 0.58~%           | 0.58~% |  |  |  |
| Risk premium                | 1.95%             | 2.33%  | 1.98%     | 2.22%       | 1.89%            | 2.05%  |  |  |  |
| Volatility excess returns   | 1.19%             | 2.33%  | 1.16%     | 2.21%       | 1.14%            | 2.22%  |  |  |  |
| Market price of risk        | 168.9%            | 102.1% | 173.5%    | 103.2%      | 171.4%           | 93.9%  |  |  |  |

Long-Run Risk Model

Table A.2: Risky steady-states, business cycles and asset prices moments with a world long-run risk.

Notes: Business cycle moments and asset prices moments are obtained by averaging the statistics over 1000 successive runs, each one lasting 150 periods. Output, consumption and investment are shown in log deviations. Parameters of the model except EIS  $(1/\psi)$  and risk aversion  $(\gamma)$  are set to their baseline values (Table 1). With LRR,  $1/\psi = 2$  and  $\gamma = 10$ . On the top of transitory shocks, the model includes persistent shocks to world productivity growth with persistence  $\rho_W = 0.999$  and volatility  $\sigma_W = 0.002$ .

Distribution of net foreign assets. Figure A.1 shows simulation paths for the net foreign
asset position of the emerging country together with its ergodic distribution in our baseline
calibrations.

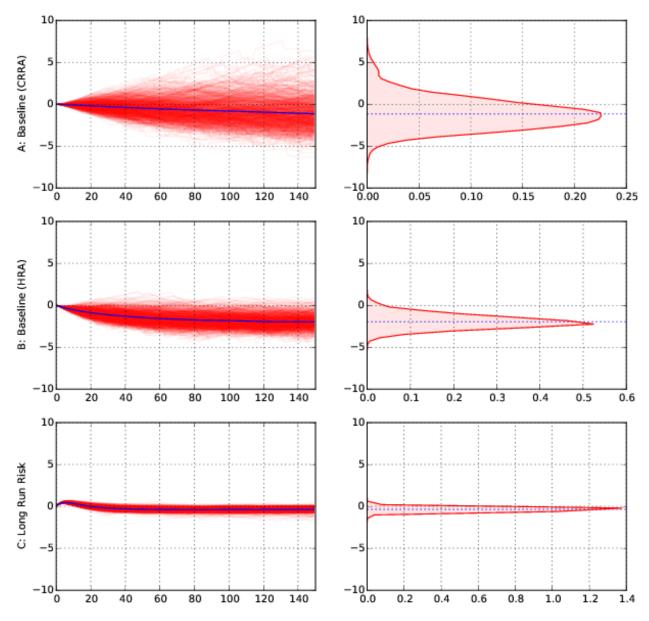


Figure A.1: Simulations and ergodic distribution of Net Foreign Debt over GDP (country E). Baseline Calibrations.

Notes: Panel A and B corresponds to our baseline calibrations without long-run risk (Low and High Risk Aversion). Parameters of the model are shown in Table 1. Panel C corresponds to our calibration with a world long-run risk, with EIS  $1/\psi = 2$  and risk aversion  $\gamma = 10$ . Under the long-run risk calibrations, parameters of the model except EIS  $(1/\psi)$  and risk aversion  $(\gamma)$  are set to their baseline values in Table 1. On the top of transitory shocks, the long-run risk version of the model includes persistent shocks to world productivity growth with persistence  $\rho_W = 0.999$  and volatilities  $\sigma_W = 0.002$ .

### <sub>941</sub> A.2 Welfare gains from financial integration

Welfare gains. Table A.3 summarizes the welfare gains across the main calibrations used in
the paper. Figure A.2 summarizes the gains under the same baseline calibrations as a function
of the initial relative level of capital stock.

|                         |   | Financial Integration |       | Complet | te markets |
|-------------------------|---|-----------------------|-------|---------|------------|
|                         |   | D                     | Ε     | D       | Е          |
| Baseline                | $1/\psi = 1/4$                            |                       |       |         |            |
| Low Risk Aversion       | $\gamma = 4$                              | 0.39%                 | 0.52% | 0.98%   | 1.06%      |
| High Risk Aversion      | $\gamma = 40$                             | 0.80%                 | 0.32% | 3.35%   | 2.73%      |
| Deterministic           | $\sigma_D = \sigma_E = 0$                 | 0.29%                 | 0.37% | 0.30%   | 0.37%      |
| Long-run risk (LRR)     | $1/\psi = 2$ and $\gamma = 10$            |                       |       |         |            |
| Baseline LRR volatility | $\sigma_W = 0.002 \; ; \; \rho_W = 0.999$ | 0.06%                 | 0.05% | 1.29%   | 1.48%      |
| No Long Run Risk        | $\sigma_W = 0$                            | 0.11%                 | 0.12% | 1.30%   | 1.34%      |

Table A.3: Welfare gains of financial integration under various calibrations.

Notes: Gains expressed in equivalent increase of permanent consumption. Under the baseline calibrations, parameters of the model are shown in Table 1. Under the long-run risk calibrations, parameters of the model except EIS  $(1/\psi)$  and risk aversion  $(\gamma)$  are set to their baseline values in Table 1. On the top of transitory shocks, the long-run risk version of the model includes persistent shocks to world productivity growth with persistence  $\rho_W$  and volatilities  $\sigma_W$ .

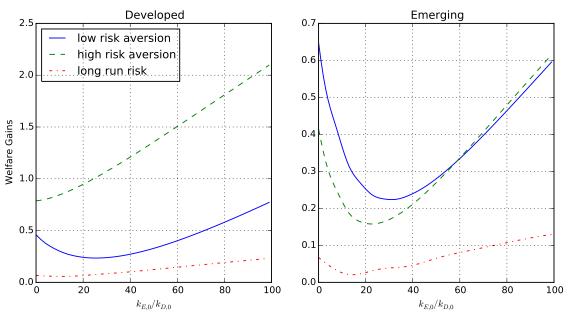


Figure A.2: Welfare analysis of financial integration across alternative calibrations for different degrees of capital scarcity.

Notes: Gains are expressed in equivalent of permanent consumption as a function of initial relative capital stock  $(\frac{k_{E,0}}{k_{D,0}})$ . Solid lines correspond to our baseline calibrations without long-run risk (High and Low Risk Aversion). Parameters of the model are shown in Table 1. Dashed lines correspond to our calibration with a world long-run risk, with EIS  $1/\psi = 2$  and risk aversion  $\gamma = 10$ . Under the long-run risk calibrations, parameters of the model except EIS  $(1/\psi)$  and risk aversion  $(\gamma)$  are set to their baseline values in Table 1. On the top of transitory shocks, the long-run risk version of the model includes persistent shocks to world productivity growth with persistence  $\rho_W = 0.999$  and volatilities  $\sigma_W = 0.002$ .

### <sup>945</sup> A.3 Extension with alternative dividend policies

In our baseline, investment is financed out of earnings—dividends being equal to the frac-946 tion of output distributed to capital holders *net of* investment spending. Due to the mere 947 presence of investment, dividends are not risky enough as they do not co-vary enough with 948 output and consumption—a standard difficulty of production economies. This leads to a low 949 equity premium, equal in our baseline with fully equity financed firm to the risk premium on 950 risky capital (displayed in Table A.1). If one stays in an environment where the Modigliani-951 Miller theorem holds, as we do, the dividend policy is irrelevant for the dynamics of aggregate 952 consumption and capital, as well as for the aggregate return to capital. However, alternative 953 dividend policies, implying some leverage and riskier dividends, might help generating a higher 954 equity premium—keeping the aggregate dynamics unchanged (Jermann (1998)). This section 955 aims at exploring the implications for the equity premium of our framework with production 956 economies, considering alternative dividend policies and firms financing strategies. For sim-957 plicity, we do so by adopting exogenous policies for levered dividends—separating dividends 958 from the aggregate income stream paid to capital holders.<sup>46</sup> 959

**Dividend policies.** First, rewrite the dividend policy without leverage in our baseline,  $d_{i,t}^0$ , as follows:

$$d_{i,t}^{0} = \theta y_{i,t} - i_{i,t} = \theta y_{i,t} - \kappa_i - (i_{i,t} - \kappa_i) = d_{i,t}^{1}(\kappa_i) - (i_{i,t} - \kappa_i)$$

with  $\kappa_i$  a (country-specific) constant,  $\kappa_i < \min_t \{\theta y_{i,t}\}$  and  $d_{i,t}^1(\kappa_i) = \theta y_{i,t} - \kappa_i > 0$ .

In our alternative dividend policies, we consider the following levered dividends in country i,

$$d_{i,t}^1(\kappa_i) = \theta y_{i,t} - \kappa_i. \tag{A.1}$$

This dividend policy corresponds to firms distributing the capital share to shareholders net of some fixed debt payments. Possible values of  $\kappa_i$  are chosen such that the representative firm is leveraged—rising  $\kappa_i$  corresponds to a higher leverage. Intuitively, this policy implies riskier dividends than our baseline since investment above  $\kappa_i$  is financed through debt.

<sup>&</sup>lt;sup>46</sup>See Bansal and Yaron (2004) in endowment economies for a similar approach to separate dividends and consumption.

Leverage. Call  $V_{i,t}$  the value of the representative firm at date t in country i. Importantly, in the environment we consider, the value of the firm is independent of the dividend policy and equal to the value of a firm distributing dividend  $d_{i,t}^0$ , denoted  $S_{i,t}^0$ . Denote  $S_{i,t}^1(\kappa_i)$ , the stock market value, and  $L_{i,t}^1(\kappa_i)$ , the corporate debt value, of a firm with a dividend policy  $d_{i,t}^1(\kappa_i)$ . The aggregate value of the firm satisfies:

$$V_{i,t} = S_{i,t}^0 = S_{i,t}^1(\kappa_i) + L_{i,t}^1(\kappa_i).$$

<sup>973</sup> Thus, valuing the stream of dividends with the appropriate stochastic discount factor, also <sup>974</sup> independent of the dividend policy, one can compute the aggregate value of corporate debt,

$$L_{i,t}^1(\kappa_1) = V_{i,t} - S_{i,t}^1(\kappa_i),$$

and corporate leverage (at market value) is defined as debt value over firm value,  $\frac{L_{i,t}^{i}(\kappa_{i})}{V_{i,t}}$ . In other words, once the model is solved in our baseline with fully equity-financed firm, one can easily compute stock prices and corporate debt for any alternative dividend policy.

<sup>978</sup> This can be done under autarky as well as under financial integration.

**Results.** Considering the dividend policy described by Eq. A.1, we compute for each country 979 the (average) leverage and equity premium by simulating the model for different values of  $\kappa_i$ . 980 We do so in autarky and under integration under the baseline calibration with low and high 981 risk aversion (see Table 1). Values of  $\kappa_i$  are chosen such that the firm in country *i* issues 982 a positive quantity of debt on average while having strictly positive dividends in all states. 983 In practice, we focus on values of  $\kappa_i$  such that leverage (debt to asset ratio,  $\frac{L_{i,t}^i(\kappa_i)}{V_{i,t}}$ ) varies 984 between 0 and 70%.<sup>47</sup> In the data, recent evidence in Graham et al. (2015) shows that the 985 market value of leverage of U.S firms oscillated between 25% and 40% since  $1970.^{48}$ 986

Results are displayed in Figure A.3, which represents the equity premium as a function
 of (average) leverage. Such a (levered) dividend policy generates a significantly higher equity

<sup>&</sup>lt;sup>47</sup>Note that the set of  $\kappa$  considered differ across countries since they have different steady-state output and investment rates due to their heterogeneity.  $\kappa$  is set below 0.39 for the developed country and below 0.36 for the emerging country.

<sup>&</sup>lt;sup>48</sup>The book value is slightly above, oscillating between 35% and 50% over the same period. Similarly, Jermann (1998) documents market values of leverage for the U.S between 13% and 44% post-WWII.

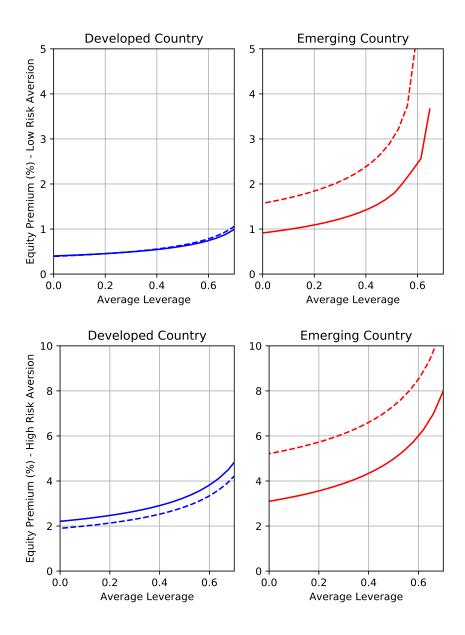


Figure A.3: Leverage and equity premium. Dividend policy of Eq. A.1. Notes: The dividend policy follows Eq. A.1 for different values of  $\kappa_i$ . The support of  $\kappa_i$  is set in each country such that the firm has a positive leverage but below 70%. The leverage and equity premium are computed by simulating the model under autarky and under integration for different values of  $\kappa_i$ . Dotted lines (resp. solid) refer to values under autarky (resp. integration). Models parameters are summarized in Table 1. The upper (resp. bottom) panels correspond to the calibration with a low (resp. high) risk aversion,  $\gamma = 4$  (resp.  $\gamma = 40$ ).

premium than our baseline. This so because dividends are riskier when investment (above  $\kappa_i$ ) is financed out of debt, even when the firm has a very small leverage on average. The effect on the equity premium is amplified with higher values of leverage (e.g. higher values for  $\kappa_i$ ). Compared to the baseline with equity-financed firms, the equity premium is an order of magnitude larger—about 4 to 5 times larger than in our baseline for a leverage around <sup>994</sup> 30-40%. With a very high risk aversion (bottom panel), one can generate an equity premium <sup>995</sup> comparable to the data, above 4% in the developed country, and even higher in the (riskier) <sup>996</sup> emerging country. However, beyond the extreme degree of risk aversion, this is at the expense <sup>997</sup> a counterfactual leverage, above 60%, and a dividend volatility that exceeds the data.

Sensitivity analysis. For sensitivity analysis, we also consider the more general family of dividend policies,  $d_{i,t}^{\nu}(\kappa_i)$ 

$$d_{i,t}^{\nu}(\kappa_i) = \nu d_{i,t}^1(\kappa_i) + (1-\nu) d_{i,t}^0 = \nu \left(\theta y_{i,t} - \kappa_i\right) + (1-\nu) d_{i,t}^0, \tag{A.2}$$

where  $0 \le v \le 1$ . By construction,  $d_{i,t}^{0}(\kappa_{i}) = d_{i,t}^{0}$ ,  $d_{i,t}^{1}(\kappa_{i}) = \theta y_{i,t} - \kappa_{i}$  and  $d_{i,t}^{\nu}(\kappa_{i}) = \theta y_{i,t} - \nu \kappa_{i} - (1 - \nu) i_{i,t}$ . Firms pay fixed debt payments  $\nu \kappa_{i}$  and finance a fraction  $(1 - \nu)$  of investment out of earnings—in between a fully-equity financed firm and the levered dividends of Eq. A.1. In our simulations, we set  $\kappa_{i}$  such that the leverage varies in between 0 and 70% for the different values of  $\nu$ .<sup>49</sup> Then, we explore the dividend policy described by Equation A.2 for values of  $\nu$  between 0 and 1. Note that  $\nu = 0$  corresponds to our baseline without leverage and  $\nu = 1$  corresponds to the dividend policy of Eq. A.1.

Results are displayed in Figure A.4. Relative to the baseline with equity-financed firms, a higher  $\nu$  increases the leverage and equity premium. However, similarly to the previous levered dividends, only with a high risk aversion and very large values of  $\nu$ , our model generates a high enough equity premium. In the high risk aversion case (bottom panel), the equity premium is around 2% in country D (resp. 4% in E) for a leverage about 30-40% — significantly higher than our baseline but lower than the data.

Overall, these alternative dividend policies show that, with a realistic degree of leverage, one gets significantly higher equity premium than in our baseline without leverage. However, unless assuming parameters which generate a leverage significantly higher than the data, together with an extremely high risk aversion, it remains difficult to generate a high enough equity premium, at least for the developed country.

<sup>&</sup>lt;sup>49</sup>We set:  $\kappa_D = 0.39$  and  $\kappa_E = 0.36$  for a low risk aversion;  $\kappa_D = 0.38$  and  $\kappa_E = 0.34$  for a high risk aversion.

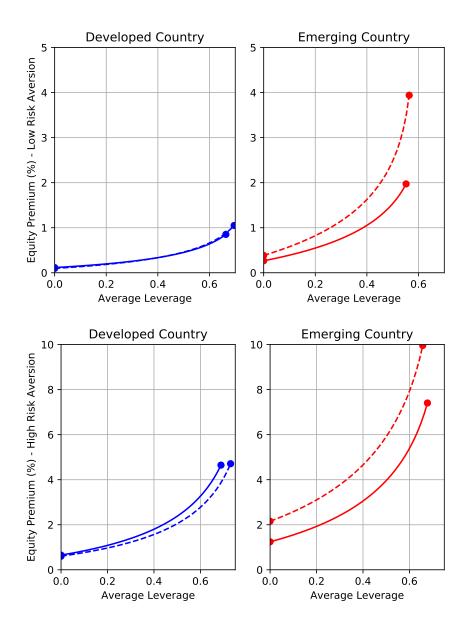


Figure A.4: Leverage and equity premium. Sensitivity with the dividend policy of Eq. A.2. Notes: The dividend policy follows Eq. A.2 for different values of  $\nu$ .  $\kappa_D = 0.39$  and  $\kappa_E = 0.36$  for a low risk aversion;  $\kappa_D = 0.38$  and  $\kappa_E = 0.34$  for a high risk aversion. Extreme points on the left (resp. right) of the curves correspond to the baseline,  $\nu = 0$  (resp. dividends of Eq. A.1,  $\nu = 1$ ). Leverage and equity premium are computed by simulating the model under autarky and under integration for different values of  $\nu$ . Dotted lines (resp. solid) refer to values under autarky (resp. integration). Model parameters are summarized in Table 1. The upper (resp. bottom) panels correspond to the calibration with a low (resp. high) risk aversion,  $\gamma = 4$  (resp.  $\gamma = 40$ ).

## 1018 B Data

### <sup>1019</sup> B.1 Data sources and countries sample

#### 1020 Data sources.

<sup>1021</sup> Capital account liberalization dates: Bekaert et al. (2005).

GDP, Investment, GDP per capita: Penn World Tables. Sample period varies across countries depending on data availability (1950-2009 for developed countries, later starting date for most emerging markets but not later than 1975).

<sup>1025</sup> Sample of countries. 15 always financially opened developed countries. 40 liberalizing <sup>1026</sup> emerging markets (integration date  $\geq$  1985). Emerging markets do not include countries from <sup>1027</sup> Central and Eastern Europe due to lack of data before 1990.

<sup>1028</sup> Developed countries (already financially integrated in 1985).

<sup>1029</sup> Australia, Austria, Canada, Denmark, Finland, France, Germany, Ireland, Japan, Italy,
<sup>1030</sup> Netherlands, Sweden, Switzerland, United Kingdom, United States.

#### <sup>1031</sup> Emerging countries (by geographical zone, integration date in parenthesis).

<sup>1032</sup> Southern Europe: Greece (1987), Israel (1993), Malta (1992), Portugal (1986), Spain (1985),
<sup>1033</sup> Turkey (1989).

<sup>1034</sup> Latin America: Argentina (1989), Brazil (1991), Chile (1992), Colombia (1991), Ecuador(1994),

<sup>1035</sup> Jamaica (1991), Mexico (1989), Peru (1992), Trinidad and Tobago (1997), Venezuela (1990).

<sup>1036</sup> Asia: Bangladesh (1991), China (1991), <sup>50</sup> India (1992), Indonesia (1989), Malaysia (1988),

<sup>1037</sup> Pakistan (1991), Philippines (1991), South Korea (1992), Sri Lanka (1991), Thailand (1987).

- <sup>1038</sup> *Middle-East*: Egypt (1992), Jordan (1995), Oman (1999), Saudi Arabia (1999).
- <sup>1039</sup> Africa: Botswana (1990), Ghana (1993), Ivory Coast (1995), Kenya (1995), Mauritius (1994),
- <sup>1040</sup> Morocco (1988), Nigeria (1995), South Africa (1996), Tunisia (1995), Zimbabwe (1993).

<sup>1041</sup> Countries sizes. Table B.1 shows the PPP adjusted share of world GDP of each group of

<sup>&</sup>lt;sup>50</sup>According to the definition of Bekaert et al. (2005), China remains closed over the period considered. According to other indicators of financial integration, the country can be considered as opened starting 1991 (see Bekaert et al. (2005) for a discussion). We do include China in our sample.

countries in 1990. World GDP is made of our set of 55 countries (15 developed financially
opened and 40 liberalizing emerging markets). For comparison purposes, the US accounts in
1990 for 21.3% of the world GDP we consider.

| Zone                  | Developed | Southern<br>Europe | Latin<br>America | Asia  | Middle<br>East | Africa | All<br>Emerging |
|-----------------------|-----------|--------------------|------------------|-------|----------------|--------|-----------------|
| Share of<br>World GDP | 51.4%     | 5.6%               | 12.9%            | 26.7% | 1.6%           | 2.1%   | 48.6%           |

Table B.1: Contribution to world GDP of group of countries in 1990. Notes: Data from Penn World Tables. PPP adjusted GDP in 1990. World is made of our sample of 55 countries (15 developed countries and 40 emerging liberalizing countries). See Section B.1 for the sample of countries.

### <sup>1045</sup> B.2 Output growth volatility and correlation

Volatility of output growth. We compute the volatility of annual real GDP per capita 1046 for each country in the sample over the period 1975-1995 (PPP adjusted). This corresponds 104 largely to the time period before and around the integration date of the emerging markets 1048 considered. Volatility computed over a longer time frame gives very similar results. Figure B.1 1049 reports the volatility for each group of countries (arithmetic or GDP-weighted average across 1050 countries belonging to the group). The (arithmetic) averaged volatility of output growth 1051 across liberalizing emerging countries is 4.9% compared to 2.5% in developed countries, in 1052 line with our baseline calibration.<sup>51</sup> 1053

<sup>1054</sup> Correlation of output growth with developed countries. For any given country, we <sup>1055</sup> also compute the correlation of annual real GDP growth per capita in the country with the <sup>1056</sup> group of (already integrated) developed countries over the period 1975-2010.<sup>52</sup> We compute <sup>1057</sup> the arithmetic and the GDP-weighted means in a given group of countries (region or whole

 $<sup>^{51}</sup>$ We display simple arithmetic averages and GDP-weighted (using 1990 PPP GDPs) averages. Both are very similar quantitatively although the GDP-weighted averages tend to be smaller (except for Asia) since larger countries tend to be less volatile. Importantly, the ratio of volatilities between developed and emerging markets is very similar across the two measures.

 $<sup>^{52}</sup>$ We used a longer time frame to compute correlations for a better accuracy of our estimates but results are very similar when considering the period 1975-1995. The real GDP growth rate of developed country is weighted sum of the GDP growth rates of each country, where weights correspond to the size of countries.

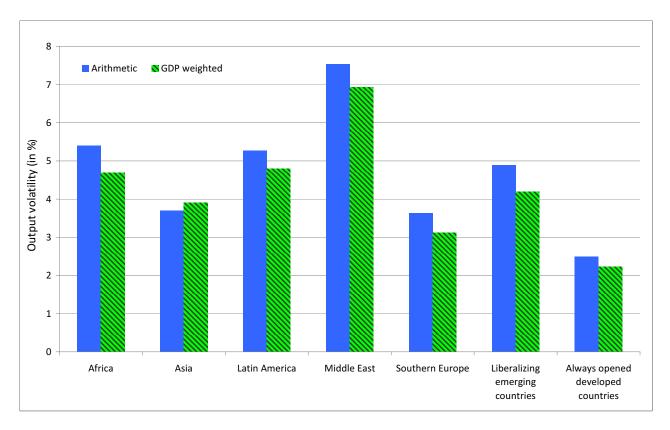


Figure B.1: Volatility of annual real output growth per capita across countries (1975-1995). Notes: Penn World Tables. Volatility of annual real output growth per capita for each country is computed over the period 1975-1995. Volatility of each group of countries is a sample average (arithmetic or GDP-weighted) of the volatility of each country in the group as defined in Section B.1. GDP weights are based on PPP GDP in 1990.

| Zone  | Southern<br>Europe | Latin<br>America | Asia  | Middle<br>East | Africa | All<br>Emerging |
|---|--------------------|------------------|-------|----------------|--------|-----------------|
| Correlation with developed<br>(Arithmetic mean)   | 0.53               | 0.14             | 0.10  | 0.00           | 0.27   | 0.21            |
| Correlation with developed<br>(GDP-weighted mean) | 0.60               | 0.22             | -0.01 | 0.06           | 0.35   | 0.14            |

Table B.2: Correlation of annual real output growth with the sample of (already integrated) developed countries (1975-2010).

Notes: Penn World Tables. The correlation of annual real output growth per capita for each country is computed over the period 1975-2010. Real per capita GDP growth of the sample of (already integrated) developed countries is a GDP-weighted average of the growth of countries in the sample. The correlation for each group of countries is a sample average (arithmetic or GDP-weighted) of the correlation of each country in the group as defined in Section B.1. GDP weights are based on PPP GDP in 1990.

sample of liberalizing countries). Results are shown in Table B.2. Our baseline assume zero
correlation while the correlation is between 0 and 0.25 for all groups but Southern Europe,
which is significantly higher. Thus, If anything, we overestimate slightly the gains from
financial integration in our baseline.

### 1062 B.3 Capital scarcity

**Definitions.** Consider a country i with the following production function at date t:

$$Y_{i,t} = A_{i,t} (K_{i,t})^{\theta} (L_{i,t})^{1-\theta}$$

where  $K_{i,t}$  denotes the capital stock,  $A_{i,t}$  the country TFP and  $L_{i,t}$  the labour supply.

Capital-output ratio  $(\frac{K}{Y})_{i,t}$  is then a monotonic transformation of capital per efficiency units  $k_{i,t} = \frac{K_{i,t}}{A_{i,t}^{1/(1-\theta)}L_{i,t}}$ :

$$\left(\frac{K}{Y}\right)_{i,t} = \left(\frac{K_{i,t}}{A_{i,t}^{1/(1-\theta)}L_{i,t}}\right)^{1-\theta} = k_{i,t}^{1-\theta}$$

Thus capital per efficiency units  $k_{i,t}$  can easily be recovered from capital-output ratio as follows:

$$k_{i,t} = \left[ \left(\frac{K}{Y}\right)_{i,t} \right]^{1/(1-\theta)} \tag{B.1}$$

1068  $k_{i,t}$  is the empirical counterpart of the capital stock in the model of Section 2.

**Capital stocks.** We compute the stock of capital  $K_{i,t}$  of country *i* at date *t* using the perpetual inventory method with a depreciation rate of  $\delta = 8\%$  per year. The initial value capital stock at date  $t_0$  is defined as:

$$\frac{\text{Investment rate at } t_0}{\delta + g_{t_0}},$$

where  $g_{t_0}$  is the average geometric growth rate of investment over the ten years preceding  $t_0$ . The initial period  $t_0$  considered depends on data availability for a given country. For developed countries, we use 1960, for emerging markets, we use generally 1970 and at the latest 1980. Results are quite insensitive to the use of a common initial date if anterior to 1980. <sup>1073</sup> We compute the capital-output ratio  $(\frac{K}{Y})_{i,t}$  at date t in country i defined as  $K_{i,t}$  divided <sup>1074</sup> by GDP of that year (all expressed in constant 2005 USD).  $k_{i,t}$  is then defined according to <sup>1075</sup> Equation (B.1) with  $\theta = 0.3$ . The capital-output ratio of the sample of developed countries <sup>1076</sup> (already integrated in 1985) is the GDP-weighted average of capital-output ratios in these <sup>1077</sup> countries. Their capital per efficiency unit  $k_t^*$  is defined according to Equation (B.1) with <sup>1078</sup>  $\theta = 0.3$ .

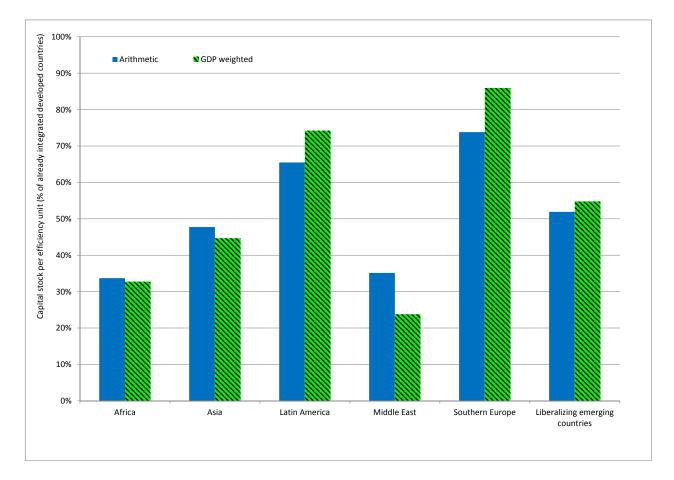


Figure B.2: Degree of 'capital scarcity' at time of opening across emerging liberalizing countries.

Notes: Penn World Tables. Capital scarcity of a given region at time of opening is the average (arithmetic or GDP-weighted) across countries i in the region of  $k_{i,t_i}/k_{t_i}^*$ .  $k_{i,t_i}$  (resp.  $k_{t_i}^*$ ) denotes the capital per efficiency units in country i (resp. the set of developed countries) at time of opening. The sample of countries is described in Section B.1. GDP weights for the average scarcity across countries in a group are based on 1990 GDPs.

<sup>1079</sup> Capital scarcity at date of financial opening. Consider an emerging country i integrating

financially at date  $t_i$  with the sample of developed country (\*). We measure 'capital scarcity'

<sup>1081</sup> at opening by the following ratio:

'capital scarcity'
$$(i, t_i) = \frac{k_{i,t_i}}{k_{t_i}^*}$$

A ratio smaller than 1 indicated that at time of opening, country i has a lower capital stock per-efficiency unit than developed countries. Note that the use the word scarcity is a bit of a language abuse since in a stochastic environment as ours, country i can have a higher capital stock than developed countries and still be below its own autarky steady-state.

We measure the average capital scarcity at time of opening of a considered group of 1086 countries by computing the arithmetic average of  $k_{i,t_i}/k_{t_0}^*$  across countries i belonging to the 108 group (region or set of emerging liberalizing countries).<sup>53</sup> Figure B.2 reports the degree of 1088 capital scarcity at time of opening for each group of countries. At time of opening, liberalizing 1089 emerging countries have on average a capital stock very close to 50% of the one of developed 1090 countries, in line with our baseline calibration. There is some heterogeneity though with 1091 Southern Europe being much more capital abundant at opening than Asia or Middle-Eastern 1092 countries. 1093

<sup>&</sup>lt;sup>53</sup>GDP-weighted (using GDPs in 1990) averages gives very similar results quantitatively.

## 1094 C Numerical methods

<sup>1095</sup> Model description. The model's equations are reformulated as follows (see Section 2.2):

$$E_t \left[ f \left( \mathbf{m}_t, \mathbf{s}_t, \mathbf{x}_t, \mathbf{m}_{t+1}, \mathbf{s}_{t+1}, \mathbf{x}_{t+1} \right) \right] \perp \mathbf{x} \le \mathbf{x}_t \le \overline{\mathbf{x}}$$
(C.1)

$$\mathbf{s}_{t+1} = g(\mathbf{m}_t, \mathbf{s}_t, \mathbf{x}_t, \mathbf{m}_{t+1})$$
(C.2)

where  $\mathbf{m_t}$  is a vector of exogenous Markov processes,  $\mathbf{s_t}$  the vector of endogenous states and  $\mathbf{x_t}$ 1096 the vector of controls to be determined, constrained to lie within  $[\mathbf{x}, \overline{\mathbf{x}}]$ . The solution satisfies 109 at all dates  $\mathbf{x}_t = \varphi(\mathbf{m}_t, \mathbf{s}_t)$  where  $\varphi$  is the unknown decision rule to solve for. The algorithm 1098 described in the next paragraphs, and our implementation in Python, is independent from the 1099 precise formulation of the model. We describe the model in a text file, using the conventions 1100 set by the Dolo software, freely available online.<sup>54</sup> Section 2.2 shows how to cast the baseline 1101 model into functions f and q. The reference set of equations for the other model variables 1102 (autarky, complete markets, endowments, long-run risk) are included in the companion code 1103 and its online documentation.<sup>55</sup> 1104

**Removing occasionally binding constraints**. Mixed complementarity problem (Eq. C.1) 1105 could be solved using a specialized nonlinear complementarity solver.<sup>56</sup> We choose instead to 1106 follow the simple approach of reformulating the slackness conditions as smooth functions and 1107 solve the resulting system using a regular nonlinear solver. Recall that  $v \perp a \leq x \leq b$  is by 1108 definition equivalent to  $|\min(x-a,v)| + |\min(b-x,-v)| = 0$ . Using the Fischer-Burmeister 1109 function  $\varphi^B(a,b) = a + b - \sqrt{a^2 + b^2}$ , one can check that the complementarity condition is 1110 equivalent to  $\varphi^B(b-x,-\varphi^B(x-a,v))=0$  which is a smooth function of f. In the following 1111 sections, we assume, without loss of generality, that f and g are differentiable functions which 1112 incorporate occasionally binding constraints. 1113

Discretizing the exogenous process. We discretize the joint AR(1) process of the productivity shocks as a finite Markov chain. For this purpose, we perform a Cholesky decom-

<sup>&</sup>lt;sup>54</sup>Dolo is released under a BSD license at https://github.com/EconForge/dolo. The solution method, initially developed for this paper, is now merged in Dolo library with other solution algorithms and can be applied to any model satisfying the same specification.

<sup>&</sup>lt;sup>55</sup>Companion code and documentation for this paper available at https://bitbucket.org/albop/finint/

<sup>&</sup>lt;sup>56</sup>For a commercial complementarity solver see PATH: http://pages.cs.wisc.edu/~ferris/path.html

position of the random innovations  $\epsilon_{D,t}$ ,  $\epsilon_{E,t}$ . This gives us a lower tridiagonal matrix  $\Omega$  and two independent i.i.d. Gaussian noises  $(\epsilon'_{D,t}, \epsilon'_{E,t})$  whose joint process is defined by a diagonal covariance matrix  $\Sigma_d$  such that  $\Sigma_d = \Omega \Omega'$ . Let us define:

$$\begin{pmatrix} \log(A'_{D,t}) \\ \log(A'_{E,t}) \end{pmatrix} = \Omega \begin{pmatrix} \log(A_{D,t}) \\ \log(A_{E,t}) \end{pmatrix}$$

Since the autocorrelation coefficient for  $\log(A_{D,t})$  and  $\log(A_{E,t})$  is  $\rho$ , the processes  $\log(A'_{D,t})$ 1119 and  $\log(A'_{E,t})$  are two independent unidimensional AR(1) processes with autocorrelation  $\rho$ 1120 and conditional variance given by the diagonal elements of  $\Sigma_d$ . We discretize each of them 112 as a three states Markov chain, using the method from Rouwenhorst (1995). We choose the 1122 free coefficients so that the resulting Markov chain has the exact same autocorrelation and 1123 asymptotic variance as the original continuous process. The discretized process is a series of 1124  $N_m = 9$  vectors of two elements:  $(\mathbf{m}_i)_{i \in [1, N_m]}$  and a matrix of weights  $(p_{ij})_{i,j \in [1, N_m]^2}$  such that 1125  $p_{ij}$  is the conditional probability of reaching state j from state i. 1126

**Discretizing the endogenous state-space**. First, we need to choosing boundaries for the 1127 domain containing the continuous states  $k_D$ ,  $k_E$  and d. We study the capital over a wide 1128 enough interval, so that we can simulate economies starting with a significant capital scarcity 1129 while capturing the potentially larger capital stocks under autarky or integration. We set 1130 the same bounds for both countries  $[k_{\min}, k_{\max}] = [1, 10]^{.57}$  Consistent with the borrowing 1131 constraints we restrict  $-\bar{b} \leq d \leq \bar{b}$  where  $\bar{b}$  denotes the exogenous debt limit. We take  $\bar{b} = 10$ . 1132 As we do not want our solution to be dependent on an arbitrary  $\bar{b}$ , we perform robustness 1133 checks with higher/lower debt limits. Using 30 points along each dimension, we discretize the 1134 state-space as a list of points  $\mathbf{S} = (\mathbf{s}_n)_{n \in [1, N_s]}$  where each of the  $N_s = 30 \times 30$  elements is a 1135 different set of coordinates in the state space. 1136

Decision rules. The numerical solution of the problem for each realization  $\mathbf{m_i}$  of the Markov chain is a matrix  $\mathbf{X_i} = (\mathbf{x_{in}})_{n \in [1, N_s]}$  whose elements are vectors with  $n_x = 8$  coordinates.

<sup>&</sup>lt;sup>57</sup>For comparison, in our baseline simulation, in country D the steady-state stocks of capital are respectively 2.32, 2.92, and 3.68 respectively, when the productivity shocks stays constant at its lower, medium and high level. Country E starts with 50% of the steady-state autarky capital stock in D. As a result, in our simulations, capital always stays within the boundaries.

<sup>1139</sup> We also set  $\mathbf{X} = (\mathbf{X_i})_{i \in [1, N_m]}$ . For any exogenous value  $\mathbf{m_j}$  and any state  $\mathbf{s}$ , possibly outside <sup>1140</sup> of the grid, we approximate the solution  $\varphi(\mathbf{m_j}, \mathbf{s})$  with an interpolation scheme  $\mathcal{I}$  such that <sup>1141</sup>  $\varphi(\mathbf{m_j}, \mathbf{s}) \approx \mathcal{I}(\mathbf{s}, \mathbf{X_j})$ . Given the nature of our welfare comparison exercise, we trade speed for <sup>1142</sup> precision and use natural cubic splines to interpolate the decision rule.<sup>58</sup> At each iteration <sup>1143</sup> step, we store the prefiltered coefficients to avoid recomputing them for multiple evaluations <sup>1144</sup> of  $\mathcal{I}(s, \mathbf{X_j})$  with the same  $\mathbf{X_j}$ .

<sup>1145</sup> Time iterations. To check optimality conditions, we compute:

$$\sum_{j \in [1,N_m]} p_{ij} f(\mathbf{m_i}, \mathbf{s_n}, \mathbf{x_{in}}, \mathbf{m_j}, \mathbf{s_{inj}}, \mathbf{x_{inj}})$$

$$\mathbf{s_{inj}} = g(\mathbf{m_i}, \mathbf{s_n}, \mathbf{x_{in}}, \mathbf{m_j})$$

$$\mathbf{x_{inj}} = \mathcal{I}(\mathbf{s_{inj}}, \tilde{\mathbf{X_j}})$$

where  $(\mathbf{m_i}, \mathbf{s_n})$  is a discretized state today and  $\mathbf{x_{in}}$  the control taken in that state. The state attained with the exogenous realization  $\mathbf{m_j}$  is denoted by  $\mathbf{s_{inj}}$ . The decision taken in tomorrow's state  $(\mathbf{m_{jn}}, \mathbf{s_{inj}})$  is  $\mathbf{x_{inj}}$  according to the rule  $\tilde{\mathbf{X_j}}$ .

These optimality conditions can be vectorized with respect n. For any  $i \in [1, N_m]$  we define the residual function for exogenous realization  $\mathbf{m_i}$  today at all grid points **S** 

$$\Phi_i(\mathbf{X}_i, \tilde{\mathbf{X}}) = \sum_{j \in [1, N_m]} p_{ij} f(\mathbf{m}_i, \mathbf{S}, \mathbf{X}_i, \mathbf{m}_j, \mathbf{S}_{ij}, \mathbf{X}_{ij})$$
(C.3)

$$\mathbf{S}_{ij} = g(\mathbf{m}_i, \mathbf{S}, \mathbf{X}_i, \mathbf{m}_j) \tag{C.4}$$

$$\mathbf{X}_{ij} = \mathcal{I}(\mathbf{S}_{ij}, \tilde{\mathbf{X}}_j) \tag{C.5}$$

where  $S_{ij}$  is the list of points reached with the exogenous realization  $m_j$  and  $X_{ij}$  the corresponding controls.

<sup>&</sup>lt;sup>58</sup>Interpolation code is available separately at https://github.com/EconForge/interpolation.py.

Given a termination criterium  $\epsilon_{\eta} > 0$ , the time-iteration algorithm works as follows:

- Choose an initial guess for the controls **X**<sup>0</sup>
- At step k given an initial guess  $\mathbf{X}^{\mathbf{k}}$ 
  - assume future controls are given by the preceding step  $\tilde{\mathbf{X}} = \mathbf{X}^{\mathbf{k}}$
  - For each i in  $[1, N_m]$ 
    - \* find the zero  $\mathbf{X_i^{k+1}}$  of  $\mathbf{X_i} \to \Phi_i(\mathbf{X_i}, \mathbf{\tilde{X}})$
  - Define new set of controls  $\mathbf{X}^{\mathbf{k}+1} = (\mathbf{X}^{\mathbf{k}+1}_{\mathbf{i}})_{\mathbf{i} \in [1, N_m]}$

- Compute successive approximation errors  $\eta_{k+1} = ||\mathbf{X}^{k+1} - \mathbf{X}^{k}||_{\infty}$  and ratio  $\lambda_{k+1} = \frac{\eta_{k+1}}{\eta_{k}}$ 

- If  $\eta_{k+1} < \epsilon_{\eta}$ , solution has converged. Otherwise, start again with  $k \leftarrow k+1$ .

We choose  $\epsilon_{\eta} = 10^{-7}$ . As the simulation go, we make sure there is a  $\lambda < 1$  and a rank K such that  $\forall k > K, \lambda_k \leq \lambda < 1$ . In the baseline we find that  $\lambda_k$  converges towards 0.959, which is a necessary condition for the model to be well defined (see Winant (2017) for details). After the solution has converged to  $\overline{\mathbf{X}}$ , we also check that the final residuals (computed with  $\overline{\mathbf{X}} = \mathbf{X}^{\mathbf{k}} = \mathbf{X}^{\mathbf{k}+1}$ ) are smaller than  $\epsilon = 10^{-6}$ .

<sup>1160</sup> Up-to-date computer code, with its complete documentation, is available on the websites <sup>1161</sup> of the authors.